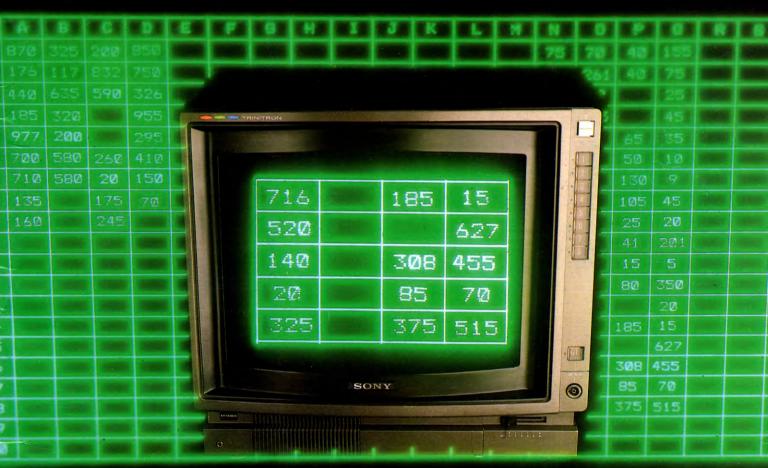


# LEARN PROGRAMMING - FOR FUN AND THE FUTURE







Vol. 3

No 38

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### PICTURE CREDITS

Front cover, Dave King. Pages 1177, 1178, 1180, 1183, Mohsen John Modaberi. Pages 1181, 1188, 1189, 1196, Peter Reilly. Pages 1185, 1190, Dave King. Pages 1192, 1194, 1196, Projection/Berry Fallon Design. Pages 1198, 1200, 1203, Peter Richardson. Page 1202, Berry Fallon Design. Pages 1204, 1206, 1208, Dave

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### INPUT IS SPECIALLY DESIGNED FOR:

The SINCLAIR ZX SPECTRUM (16K, 48K, 128 and +), COMMODORE 64 and 128, ACORN ELECTRON, BBC B and B+, and the DRAGON 32 and 64.

In addition, many of the programs and explanations are also suitable for the SINCLAIR ZX81, COMMODORE VIC 20, and TANDY COLOUR COMPUTER in 32K with extended BASIC. Programs and text which are specifically for particular machines are indicated by the following symbols:





COMMODORE 64 and 128





DRAGON 32 and 64









# WILLYOU WALK INTO MY PARLOUR?

THE PLOT WRITING THE GAME SETTING UP THE GRAPHICS FREDDY, ARROWS, BALLOONS AND THE SPIDER

Release the starving Martian spider onto frantic Freddy when you follow through how an arcade-type game is written. In the next part you'll have the complete game

Freddy and the Spider from Mars (or the Window Cleaner's Nightmare) is a complete arcade-type game, building up over the next two parts of Games Programming.

In this first part, the graphics are set up and the program is initialized. In part two the working game will be produced by knitting the routines together.

### THE GAME

The starting point for designing any game is an idea-some kind of plot or storvline, or maybe a character around which to build the game.

In this game Freddy is a window cleaner with an intense dread of spiders. He's been to his doctor and to innumerable specialists who cannot cure his condition. Things are so bad he now has a recurring nightmare, concerning a Martian spider (a particularly huge, hungry, nasty-looking variety of Freddy's favourite phobia), a collection of balloons, and his favourite hobby, archery.

Frequently he wakes up bathed in sweat after dreaming of being stranded on his ladder equipped, not with his usual bucket of dirty water and a wash leather, but with a supply of arrows. He has been trying desperately to burst balloons which, if allowed to reach the spider's cage above his head, unlock the doors which imprison the beast.

Help Freddy burst the balloons, or he'll come to a gruesome end as the spider's breakfast!

So much for the plot. As for the scoring, points are awarded for each balloon Freddy bursts. But bursting the lot doesn't bring relief-Freddy's torture continues at a higher level, with faster moving balloons. If he lets through three balloons, the Martian spider is released.

### WRITING THE GAME

There are four objects that move about on the screen—the spider, which can move both horizontally and vertically; Freddy, who moves only vertically; the balloon currently on the screen, which also moves only vertically; and finally the arrow. This normally moves horizontally, but when Freddy ascends or descends the ladder and is holding the arrow it will have to move vertically with him.



The next stage is to think of how you are going to display the shapes on the screen. This involves considering all the different

pictures that will be displayed during the course of the game. All the best computer games feature large, colourful shapes, so this is a very important stage in developing the program. In order to provide enough detail, Freddy will be constructed out of a three by two arrangement of UDG characters. Two by two pictures will be used to display the spider (there will be two of these, to make the animation more impressive), the balloon shape and a picture of a popped balloon. If you include two characters to display the arrow, and two more for the ladder, you end up having allocated 26 characters.



Part one sees the graphics set up and the game initialized.

### GRAPHICS INITIALIZATION



1000 DIM b(6): DIM s(7)
1010 LET xpos = 1: LET ypos = 2: LET
colour = 3: LET points = 4: LET count = 5:
LET maxcount = 6
1020 LET xinc = 3: LET yinc = 4: LET
picture = 7
1030 LET dest = 65288



1120 DATA 128,2,136,20,8,0,0,133 1130 DATA 161,0,0,16,40,17,64,1 1140 DATA 133,0,0,8,20,136,2,128

1150 DATA 48,48,48,48,111,111,48,48

1160 DATA 12,12,12,12,246,246,12,12

1170 DATA 7,31,49,57,127,112,237,255 1180 DATA 224,248,140,204,254,14,183,

1190 DATA 127,59,51,99,115,35,6,12 1200 DATA 254,108,102,51,49,25,24,48 1210 DATA 7,31,49,51,127,112,235,255 1220 DATA 224,248,140,156,254,14,

215,255 1230 DATA 127,51,50,27,25,50,112,224

1240 DATA 254,204,108,102,54,22,3,6 1250 DATA 15,31,19,55,55,63,63,15

1260 DATA 240,248,248,252,252,252, 252,240

1270 DATA 251,219,139,219,219,251, 247,239

128Ø DATA 252,254,254,254,254,254, 254,252

1290 DATA 95,127,31,31,31,63,127,127 1300 DATA 188,188,188,188,188,124, 252,248 1310 LET hiscore = 0 1320 RETURN

### **V**

1000 DIM B(6),S(7),NU\$(9)

1010 XP = 1:YP = 2:PO = 4:CT = 5:MC = 6

1020 XI = 3:YI = 4:PI = 7

1022 DIM AD(14),EF(4),E(4),GJ(7),KL(4), MP(7),QT(7),UZ(14),SP(7),S1(4),S2(7), BL(4)

1023 PMODE4,1:PCLS1:SG = PEEK(188)\*256

1024 GOSUB 1500

1025 GET(0,0) — (15,23),AD,G:PCLS1

1026 GOSUB 1520

1027 GET(0,0) — (15,7),EF,G: GET(0,0) — (7,7),E,G:PCLS1

1028 GOSUB 1500

1Ø29 GET(Ø,Ø) — (15,15),GJ,G:PCLS1

1030 GOSUB 1520

1031 GET(0,0) - (15,7),KL,G:PCLS1

1032 GOSUB 1500

1033 GET(0,0) - (15,15), MP, G:PCLS1

1034 GOSUB 1500

1035 GET( $\emptyset$ , $\emptyset$ ) — (15,15),QT,G:PCLS1 1036 GOSUB 1500:SG = SG + 512:

GOSUB 1520:SG = SG - 512

1037 GET(0,0) — (15,23),UZ,G:PCLS1 1038 GET(0,0) — (15,15),SP,G 1039 GET(0,0) — (7,7),S1,G 1040 GET(0,0) — (15,7),S2,G 1041 PCLS0:GET(0,0) — (7,7),BL,G 1050 DATA 15,63,127,255,255,255,255,127

1060 DATA 240,252,254,255,255,255, 255,254

1070 DATA 127,63,63,31,15,7,3,6 1080 DATA 254,252,252,248,240,224, 192,96

1090 DATA 32,96,255,255,96,32,0,0

1100 DATA 5,10,252,252,10,5,0,0

1110 DATA 1,64,17,40,16,0,0,161

1120 DATA 128,2,136,20,8,0,0,133 1130 DATA 161,0,0,16,40,17,64,1

1140 DATA 133,0,0,8,20,136,2,128

1150 DATA 48,48,48,48,111,111,48,48

1160 DATA 12,12,12,12,246,246,12,12

1170 DATA 7,31,49,57,127,112,237, 255

1180 DATA 224,248,140,204,254,14, 183,255

1190 DATA 127,59,51,99,115,35,6,12 1200 DATA 254,108,102,51,49,25,24,48



1210 DATA 7,31,49,51,127,112,235,255 1220 DATA 224,248,140,156,254,14, 215,255

1230 DATA 127,51,50,27,25,50,112,224

1240 DATA 254,204,108,102,54,22,3,6

125Ø DATA 15,31,19,55,55,63,63,15

1260 DATA 240,248,248,252,252,252, 252,240

127Ø DATA 251,219,139,219,219,251, 247,239

128Ø DATA 252,254,254,254,254,254, 254,252

129Ø DATA 95,127,31,31,31,63,127,127 1300 DATA 188,188,188,188,188,124,

252,248

1310 HS = 0

1320 RETURN

1500 FOR CL = 0 TO 1: FOR CH = 0 TO 1: FOR L = Ø TO 7:READ J:POKE SG + CL\* 256 + CH + L\*32,255 - J:NEXT L,CH,CL

1510 RETURN

1520 FOR CH = 0 TO 1:FOR L = 0 TO 7: READ J:POKE SG + CH + L\*32,255 - J: NEXT L.CH

1530 RETURN

1600 DATA R6D8L6U8BR8, BR6ND8BR2, R6D4 L6D4R6BR2BU8,R6D4NL3D4NL6BR2BU8, D4R6D4U8BR2,NR6D4R6D4L6BE8

1610 DATA D8R6U4L6U4BR8,R6ND8BR2 R6D8L6U8D4R6U4BR2,D4R6D4U8L6BR8

1620 FOR I = 0 TO 9:READ NU\$(I):NEXT

1625 DRAW "C1;S2"

163Ø RETURN

1650 N\$ = STR\$(NU):FOR I2 = 2 TO LEN(N\$) 1660 DI = ASC(MID\$(N\$,12,1)) - 48:DRAW

NU\$(DI) + "BR2":NEXT I2:RETURN

1700 COLORO:LINE(178,2) - (200,7), PSET, BF:NU = HS:DRAW "C1;BM178,2": GOSUB 1650: RETURN

This section of program stores the DATA for the UDGs for the balloon and the spider in arrays B (or b) and S (or s)—the arrays are DIMensioned in Line 1000.

Lines 1010 and 1020 define the initial values of the pointers to the arrays, before the UDGs are set up. Finally, Line 1310 sets the high score to zero. This line has been placed here as it has to be executed only once during the program.

The Dragon/Tandy program has an extra routine starting at Line 1600 which DRAWs numbers on the high resolution screen.

### GAME INITIALIZATION

3000 LET score = 0: LET level = 1

3010 LET my = 15

3020 LET bl = 15 + 5 level: LET ax = 29 : LETay = 16: LET dead =  $\emptyset$ : LET props = 3



3090 GOSUB 5000

3150 PAPER 0: BORDER 0: CLS

3160 FOR x = 0 TO 28: PRINT AT 3,x; INK 0; PAPER 6;"□";AT Ø,x;"□": NEXT x: GOSUB 6000

3170 POKE 23607,60: PRINT AT 0,0; INK 0; PAPER 6; "L = "; level; "  $\square$  B = "; bl; " $\square$ "; "SC="; score; AT  $\emptyset$ , 2 $\emptyset$ ; "HI="; hiscore

318Ø POKE 236Ø7,252

3190 FOR y = 5 TO 21: PRINT AT y,30; INK

6;"kl": NEXT y

3200 POKE 23607,252

3210 GOSUB 4000

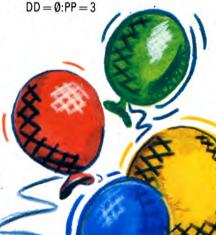
3220 GOSUB 4200

3240 RETURN



3000 SC = 0:LV = 1 3010 MY = 15

3020 BL = 15 + 5\*LV:AX = 29:AY = 16:



3090 GOSUB 5000

315Ø PMODE4,1:COLOR Ø,1:PCLS:SCREEN1,1

3160 FOR X = 0 TO 28:PUT(X\*8,24) -

 $(X*8 + 7,31),BL,PSET:PUT(X*8,\emptyset) -$ (X\*8 + 7,7), BL, PSET: NEXTX: GOSUB 6000

3165 DRAW "S4;BM2,2;C1;D4R3BR2BU1 R2BU1L2;BM48,2;D4R4U2L4R3U2L3BR6 BD2R2BD1L2;BM100,2;L4D2R4D2L4BR6 NR4U4R4;BM16Ø,2;D4U2R4D2U4BR2R4L2

D4L2R4;S2" 3170 DRAW "C1;BM14,2;":NU = LV:GOSUB 1650:DRAW "BM58,2;":NU = BL:GOSUB 1650:DRAW "BM114,2;":NU = SC:GOSUB 1650:DRAW "BM178,2;":NU = HS:

**GOSUB 1650** 3190 FOR Y = 5 TO 21:PUT(240, Y\*8) - (255,

Y\*8 + 7, KL, PSET: NEXTY 3210 GOSUB 4000

3220 GOSUB 4200

3240 RETURN

Lines 3000, 3010 and 3020 set the score to zero and level to one, and initialize a series of variables. Line 3150 sets the screen colours, and Lines 3160 and 3170 display the score and other information.

Something should be said about the POKEs in Lines 3170 and 3180 of the Spectrum program. Memory location 23607 stores a pointer to the character set. Usually this location has the value 60, which points to the normal ROM character set. In this program, though, the characters have been placed in an area which is referenced by POKEing 23607 with 252 instead. Line 3180 POKEs 23607 with 252 so the program can use the lower case letters as graphics, but still allows you use of numerals and upper case letters.

The program reserves an area of memory, using CLEAR, and plants the UDGs there. The CLEAR has to be executed as part of the main program because of the way it affects the execution of the subroutines. This will be done in the second part of this game-if you want to run this part of the program before then, type CLEAR 65287 first.

Line 3190 draws the ladder, and the two subroutine calls draw Freddy and the spider.

### FREDDY AND THE ARROW



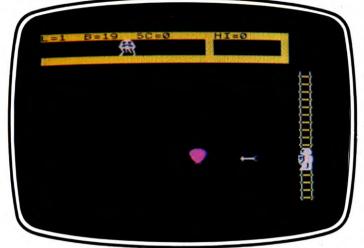
4000 INK 7: PRINT AT my,30;"uv";AT my + 1, 30; "wx"; AT my + 2,30; "yz": IF ax = 29 THEN PRINT AT ay,ax;"e";

4010 RETURN

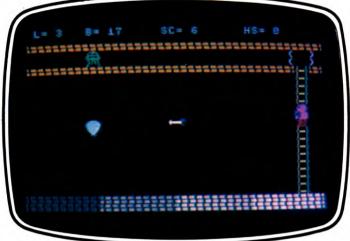
4110 INK 7: PRINT AT ay,ax; "ef": RETURN



4000 PUT(240,MY\*8) - (255,MY\*8 + 23),UZ, PSET:IF AX = 29 THEN PUT(AX\*8,AY\*8) -



Freddy and the spider from Mars shown in full flight on the Spectrum



More detailed colour graphics in the Commodore version of the game

(AX\*8+7,AY\*8+7),E,PSET 4Ø1Ø RETURN 411Ø PUT(AX\*8,AY\*8) — (AX\*8+15,AY\*8+7), EF,PSET:RETURN

This routine simply draws Freddy on the ladder, and the arrow. Freddy's position is determined by the value of MY (or my). Similarly, Line 4110 will draw the arrow at any position on the screen, according to the values of AX and AY (or ay and ax).

### THE MARTIAN SPIDER



4200 IF s(picture) = 1 THEN GOTO 4250
4210 PRINT AT s(ypos),s(xpos);"mn";AT
s(ypos) + 1,s(xpos);"op": RETURN
4250 PRINT AT s(ypos),s(xpos);"qr";AT
s(ypos) + 1,s(xpos);"st": RETURN

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4200 X2 = S(XP)\*8:Y2 = S(YP)\*8:IF S(PI) = 1 THEN 4250 4210 PUT(X2,Y2) — (X2 + 15,Y2 + 15),MP, PSET:RETURN 4250 PUT(X2,Y2) — (X2 + 15,Y2 + 15),QT, PSET:RETURN

This routine is very similar to the other printing routines, but it has to be slightly more subtle because there are two images to play with. Both images are printed at the same place on the screen, one after the other, so the spider's legs appear to move.

### THE BALLOON GOES UP



4300 PRINT AT b(ypos),b(xpos); BRIGHT 1; INK b(colour); "ab"; AT b(ypos) + 1,b(xpos); "cd": RETURN

```
5000 LET range = INT (RND*6)

5010 LET b(xpos) = (4*range) + INT (RND*4)

5020 LET b(ypos) = 20

5030 LET b(maxcount) = 5 - level

5040 LET b(count) = 1

5050 LET b(colour) = INT (RND*5) + 3
```

5060 LET b(points) = 10 - range

5070 RETURN

4300 X2 = B(XP)\*8:Y2 = B(YP)\*8:PUT(X2, Y2) - (X2 + 15,Y2 + 23),AD,PSET:RETURN 5000 RG = RND(6) - 1 5010 B(XP) = (4\*RG) + RND(4) - 15020 B(YP) = 20 5030 B(MC) = 5 - LV5040 B(CT) = 1 5060 B(PO) = 10 - RG5070 RETURN

Line 4300 simply draws the balloons on screen.

The remaining lines inflate a new balloon once the previous one has been popped by an arrow, or by reaching the beast's cage. Balloons may appear at any one of six places at the bottom of the screen, and then float vertically upwards. MAXCOUNT or (maxcount) determines how often the balloon is moved and hence its apparent speed, and is related to the level the game has reached. The colour of the balloon is chosen in the Spectrum version, and finally the points value of the balloon is set according to how close it is to Freddy's ladder.

### THE DOORS



6000 IF level < > 1 THEN POKE 23607,60: PRINT AT s(ypos),s(xpos);"□□";AT s(ypos)

+1,s(xpos);" \( \subseteq \)": POKE 23607,252
6010 FOR x = 10 TO 30 STEP 9
6020 PRINT INK 6;AT 1,x;"?";AT 2,x;"?"
6030 NEXT x
6040 LET s(xpos) = 1: LET s(ypos) = 1: LET s(xinc) = 1: LET s(xinc) = 0: LET s(xinc) = 4: LET s(xinc)



6000 IF LV < > 1 THEN X2 = S(XP)\*8:Y2 = S (YP)\*8:PUT(X2,Y2) — (X2 + 15,Y2 + 15), SP,PSET 6010 FOR X = 10 TO 30 STEP 9 6020 PUT(X\*8,8) — (X\*8 + 7,15),BL,PSET:PUT (X\*8,16) — (X\*8 + 7,23),BL,PSET 6030 NEXT X 6040 S(XP) = 1:S(YP) = 1:S(XI) = 1:S(YI) = 0: S(CT) = 4:S(MC) = 4:S(PI) = 1 6050 RETURN

Three doors are drawn in the Spider's cage to keep it imprisoned. Spectrum owners note that the? character is in fact a blob, obtained from the 8 key while in graphics mode.



The Commodore program is different from the rest, so slightly different aspects of the program will be covered here.

### **GRAPHICS INITIALIZATION**

10 POKE 51,255:POKE 52,47:POKE 55,255:
POKE 56,47:CLR:PRINT" PLEASE
WAIT. .."
15 GOSUB 1000
999 GOTO999
1000 POKE 56334,0:POKE 1,51:FÖR I = Ø TO
64\*8 − 1:POKE 12288 + I,PEEK(53248 + I):

1010 POKE 1,55:POKE 56334,1 1020 FOR Z = 13312 TO 13527:READ X: POKE Z,X:NEXT Z:RETURN 1050 DATA15,63,127,255,255,255, 255,127 1060 DATA240,252,254,255,255,255, 255,254 1070 DATA127,63,63,31,15,7,3,6

1070 DATA127,63,63,31,15,7,3,6 1080 DATA254,252,252,248,240,224, 192,96

1090 DATA32,96,255,255,96,32,0,0 1100 DATA5,10,252,252,10,5,0,0

1110 DATA1,64,17,40,16,0,0,161

1120 DATA128,2,136,20,8,0,0,133

1130 DATA161,0,0,16,40,17,64,1 1140 DATA133,0,0,8,20,136,2,128

1150 DATA48,48,48,48,111,111,48,48

116Ø DATA12,12,12,12,246,246,12,12 117Ø DATA7,31,49,57,127,112,237,255

1180 DATA224,248,140,204,254,14, 183,255

1190 DATA127,59,51,99,115,35,6,12

1200 DATA254,108,102,51,49,25,24,48

1210 DATA7,31,49,51,127,112,235,255

1220 DATA224,248,140,156,254,14, 215,255

1230 DATA127,51,50,27,25,50,112,224

1240 DATA254,204,108,102,54,22,3,6

1250 DATA5,31,19,55,55,63,63,15

1260 DATA240,248,248,252,252,252 252,240

1270 DATA251,219,139,219,219,251 247,239

128Ø DATA252,254,254,254,254,254 254,252

1290 DATA95,127,31,31,31,63,127,127 1300 DATA188,188,188,188,188,124,

252,248

1310 DATA239,239,239,0,247,247, 247,0

This routine contains all the DATA needed for setting up the graphics. UDGs are set up for Freddy, the Spider, the ladder, and the platforms at the top and bottom of the screen by POKEing into memory, after Line 10 clears sufficient space for them.

### ERECTING THE SCREEN

20 POKE 53272,28: GOSUB 2000 2000 POKE 53280,0:POKE 53281,0:PRINT

<u>`</u> **■** ";:NEXT Z 215 PRINT" **► 1 ■ 1 ■** 1

2015 PRINT" 2020 FOR Z=1TO 2:PRINT" 2020 FOR Z=1TO 2:PRINT"

### 

### 

2050 NEXT Z:RETURN

Line 20 switches to the new character set and then jumps to the routine at Line 2000. The screen is drawn, including the score and high score positions. Line 2010 draws the spider's cage, 2030 the ladder, and 2040 the ground.

•

Part one sees the graphics set up and the game initialized.

### **GRAPHICS INITIALIZATION**

670 DEFPROCINITIALIZE 680 DIM B%(6),S%(7)

690 VDU 23,1,0;0;0;0;

700 XPOS% = 1:YPOS% = 2:CLR% = 3: POINTS% = 4:CNT% = 5:MAXCOUNT% = 6

710 VDU 19,1,2,0,0,0,19,2,5,0,0,0

72Ø XINC% = 3:YINC% = 4:PICTURE% = 7

730 FOR I% = Ø TO (27\*8) - 1:READJ%:? (&C00 + I%) = J%:NEXTI%

740 DATA 15,63,127,255,255,255, 255,127

75Ø DATA 240,252,254,255,255,255, 255,254

760 DATA 127,63,63,31,15,7,3,6 770 DATA 254,252,252,248,240,224, 192,96

78Ø DATA 32,96,255,255,96,32,Ø,Ø

790 DATA 5,10,252,252,10,5,0,0

800 DATA 1,64,17,40,16,0,0,161

810 DATA 128,2,136,20,8,0,0,133 820 DATA 161,0,0,16,40,17,64,1

830 DATA 133,0,0,8,20,136,2,128

840 DATA 48,48,48,48,111,111,48,48

850 DATA 12,12,12,12,246,246,12,12

860 DATA 7,31,49,57,127,112,237,255

870 DATA 224,248,140,204,254,14, 183,255

88Ø DATA 127,59,51,99,115,35,6,12

890 DATA 254,108,102,51,49,25,24,48 900 DATA 7,31,49,51,127,112,235,255

910 DATA 224,248,140,156,254,14, 215,255

920 DATA 127,51,50,27,25,50,112,224

93Ø DATA 254,204,108,102,54,22,3,6 94Ø DATA 15,31,19,55,55,63,63,15

950 DATA 240,248,248,252,252,252, 252,240

960 DATA 251,219,139,219,219,251, 247,239

970 DATA 252,254,254,254,254,254,

254,252

98Ø DATA 95,127,31,31,31,63,127,127 99Ø DATA 188,188,188,188,188,124, 252,248

1000 DATA 255,255,255,255,255,255, 255,255

1010 HISCORE% = 0:ENDPROC

Arrays B and S hold DATA concerned with the balloon and the spider. Integer arrays are DIMensioned in Line 680 to economize on memory. Line 690 switches off the cursor.

Line 700 initializes a series of variables which are used to access the DATA in the arrays when setting up the UDGs. Finally, Line 1010 sets the high score to zero, and is placed here as it occurs only once in the program.

### **GAME INITIALIZATION**

1020 DEFPROCGAMEINIT

1030 SCORE% = 0:LEVEL% = 1

1040 MY% = 15:BL% = 15 + 5\*LEVEL%: AX% = 29:AY% = 16:DEAD% = 0:

PROPS% = 3

1050 PROCMAKEBALLOON

1060 COLOUR2:FORX% = 0 TO 28:PRINT TAB(X%,3);CHR\$(154);TAB(X%,0);CHR\$ (154):NEXTX%

1070 PROCDRAWDOORS

1080 COLOUR130:COLOUR0:PRINT TAB (0,0);"L=";LEVEL%;"□□B=";BL%;

"□ □ SC = ";SCORE%

1090 PRINT TAB(20,0); 'HI = "; HISCORE%: COLOUR128: COLOUR2

1100 COLOUR2:FOR Y% = 5 TO 21:PRINT TAB(30,Y%);CHR\$(138);CHR\$(139):NEXT

1110 PROCDRAWMAN

1120 PROCDRAWSPIDER

113Ø ENDPROC

In this PROCedure, the score, the level, and a whole series of variables are set.

Line 1050 calls PROCMAKEBALLOON, which will be explained a little later, but draws a new balloon on screen.

The next section of the program sets up the screen. Line 1060 draws the platform along the top of the screen, and Line 1070 draws the props. Game information is displayed by Lines 1080 and 1090. Freddy's ladder is drawn by Line 1100, and Freddy and the spider by calling the appropriate PROCedures.

### FREDDY AND THE ARROW

1140 DEFPROCDRAWMAN

1150 COLOUR 3

1160 PRINT TAB(30,MY%)CHR\$(148)CHR\$ (149) TAB(30,MY% + 1)CHR\$(150)CHR\$

(151) TAB(3Ø,MY% + 2)CHR\$(152)CHR\$ (153)

1170 IF AX% = 29 THEN PRINT TAB(29,



# **WORKING WITH SPREADSHEETS**

Here is the last part of the program. Type it in now and you can start to fill in the details and use the spreadsheet. The instructions explain exactly what to do

If you add these remaining lines you will have a complete, working spreadsheet program, so LOAD in the first parts now and enter the last section listed below. A few examples were given in the earlier parts showing how you might set up a spreadsheet. Now you can find out the details of how to use the individual programs-which keys do what and so on. The general instructions that follow are the same for all the programs but there are a few differences in the commands and these are listed in the individual sections for each machine at the end.

### ENTERING EQUATIONS

It is the ability to enter equations into the spreadsheet that makes it so versatile. Don't be put off by the word 'equations' though, as these use no more than simple arithmetic such as adding columns together, totalling a whole row or working out percentages for VAT, discount, depreciation and so on.

The operators used are plus, minus, multiply, divide, percent, row and column totals: +, -, \*, /, %, & and \$. Equations are entered by specifying the name of the first cell, then the name of the second cell and then the operator. A few examples will help. Entering A1B1 + in cell C1 adds the contents of A1 and B1 and displays it in cell C1. The equation A1A10\$ sums all the contents in column A from row 1 to row 10. Similarly, A6F6& sums all the entries in row 6 from column A to column F. Finally, A5B2% is worked out as A5\*B2/100 and gives B2 percent of A5. The equations are entered into the cell in which you want the answer to appear. The Acorn, Dragon and Tandy programs also allow you to add a number after the equation to specify the number of decimal places that will appear in the answer.

### COPYING

All the programs allow you to copy or replicate the contents of a cell. This saves you having to type in the same thing over and over again when you want a value or equation repeated in several cells. You can choose to copy something either absolutely or relatively. An absolute copy produces an exact replica of the cell anywhere else you choose-either in a single cell or along a section of a row or column. The relative copy is used specially for equations so that the equation is altered depending on the name of the row or column it is copied into.

For example, if you have the equation A1B1\* in cell C1, you might want every cell in column C to multiply the numbers in the previous two columns together. So in C2 you'd have A2B2\* and so on. The relative copy does this for you. The procedure is as follows. First press the copy key (see below for the relevant key for each computer), then choose R for relative and enter the name of the cell you want copied (or on the Dragon and Tandy move the cursor to the correct cell). Then choose whether you want the cell copied along a row or column-press C in the case of this example. Finally enter the name of the start cell-say, C1-and the end cell-say, C10. The program then fills in the whole column for you. Try copying equations along rows as well, and try an absolute copy of equations and values.

### UNCHANGING CONSTANTS

It is often necessary to enter constants into equations. These are likely to be numbers such as 15 for percentage VAT calculations, perhaps 5 or 10 for percentage discounts, 30 for tax and so on. Numbers cannot be entered directly into an equation-which is only based on the contents of two cells-and the method of putting them in varies for the different computers.

On the Spectrum the constant has to be preceded by the letter Z, so A1Z15% works out VAT payable on the figure in A1. On the Commodore and Acorn computers the constants have to be entered into cells in column X. So in the last example, number 15 would be put into cell X1 and VAT would be worked out as A1X1%. The Dragon and Tandy program is much the same as this except the constants are entered into column Z.

The reason for having a special method for dealing with constants is that these numbers or cells must stay the same even when copied relatively. Reserving a special letter or a special column for the constants ensures that these are treated separately.

### USING THE PROGRAM

As mentioned, the specific details of how values, labels and equations are entered into the computer and how all the operations are performed varies between the four computers so these are listed separately below.



The Spectrum program takes a little while to set up so vou'll see a blank screen for a while after you type RUN. The screen starts off in the values mode which means you can insert numbers or labels. Press E to swap to the equations mode and V to swap back again. To insert anything into a cell use the cursor key to move to the correct cell, then press I (for Insert) and type in the entry.

Equations are displayed on a yellow background, values on black and labels on blue. A label is anything entered into the values screen that starts with an alphabetic character. The colours show through each sheet so you can see which cells contain equations even when you are looking at the values screen, and vice versa.

Only four columns and ten lines fit on the screen at any one time but you can move to other parts of the spreadsheet by pressing the cursor keys along with SYMBOL SHIFT.

Try inserting a few values and labels, then swap to the equations screen and try adding cells together, working out percentages and summing columns and rows. To see the results of the calculations swap back to the values screen, press C and SYMBOL SHIFT to calculate the values. If any numbers are too big to fit into a cell, the rightmost digits that overflow will be cut off and the remaining number will flash as a warning.

Now try copying some equations and values using the Z key. The program will prompt you to enter all the necessary details.

Finally, here is a list of all the commands used by the program:

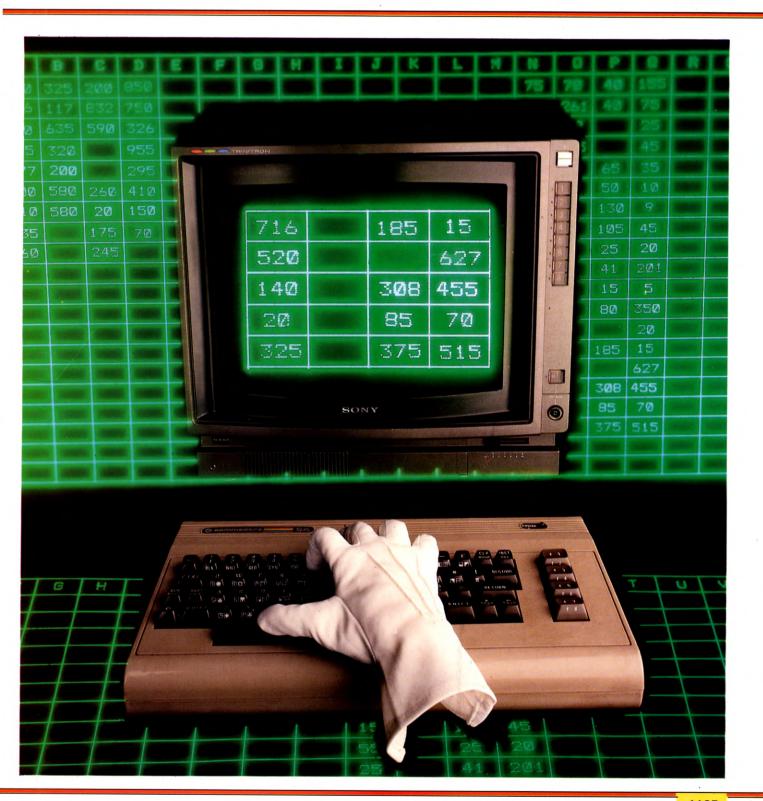
display values screen

display equations screen insert an entry into a cell

followed by ENTER delete a value or

followed by # delete an equation

- USING CONSTANTS IN THE **EQUATIONS**
- SPECIAL INSTRUCTIONS FOR **EACH COMPUTER**
- FINISHING OFF THE PROGRAM
- GENERAL INSTRUCTIONS HOW TO ENTER THE **EQUATIONS** ABSOLUTE AND RELATIVE COPYING



C	plus	SYMBOL SHIFT	calculate	the
[001.00]		s of any equation		

plus SYMBOL SHIFT abort calculation SPACE Z copy a cell

S plus SYMBOL SHIFT save data to tape plus SYMBOL SHIFT load data from J

print screen on ZX or Alphacom printer

Cursor keys move cursor

Cursor keys plus SYMBOL SHIFT move window

### 

When you RUN the program you'll see four columns and 15 rows of the spreadsheet, but you can move to other parts of the sheet using the cursor keys or the function key [f5]. Six function keys are used to control the program and these are listed at the bottom of the screen. Here's a description of what each of the keys do:

ft swap between values and equations screen

f2 alter a cell

f3 copy a cell

calculate results of equations

f5 move window

f6 save data and exit program

To make an entry, first make sure you are on the correct screen for the type of entry you want to make, then press [f2] and type in the value, label or equation. A label is anything entered on the values screen that starts with an alphabetic character.

To copy a cell, press [3] and you will be prompted to enter all the necessary details. Press [4] to calculate the equations. If any number is too big to fit into a cell then the words TOO BIG will be printed instead.

Use [5] to move to a different part of the screen by specifying the cell you want to see in the top left-hand corner.

Try entering some values and equations into the sheet and practise copying, both absolutely and relatively, and calculating the results of equations.

The Acorn program uses the function keys to control the program and when you RUN the program these are listed at the bottom of the screen underneath the spreadsheet. Only a small part of the spreadsheet is visible at any time but you can move the 'paper' under the window with the cursor keys, or with f4 for a large move.

Key fo swaps between values and equations screens and f1 lets you make an entry into a cell. Key [3] calculates the values of any

equations and displays the results on the values screen. If a number is too big to fit into a cell then the words TOO BIG are printed

The Acorn program allows you to specify the number of decimal places of any calculated value. The number can be entered at the end of an equation, so A1B1\*2 will display the answer to two decimal places—useful when dealing with quantities of money. It is also useful if a number is likely to be too big as specifying zero decimal places may mean it will fit on the screen.

Here is a list of the keys used:

fØ swap between values and equations screen

f1 alter cell

f2 copy a cell

f3 calculate equations f4 move window

TAB save data and exit program ESCAPE escape from current operation

without losing data

When you RUN the program you'll see just the top left-hand corner of the spreadsheet but you can move to any other part of the sheet with the cursor keys, or by pressing G for a large move. The V and E keys swap between the values screen and the equations screen. You can enter values or numbers on either screen but the results of calculations are only displayed on the values screen. To insert anything into a cell move the cursor to the correct cell then press I and type in your

Equations are entered as described earlier except that you can add a number to the end of the equation to specify the number of decimal places in the result. For example, A1B1/2 will display the result of A1 divided by B1 to two decimal places, which is ideal for dealing with quantities of money. If the result of any calculation is too big to fit into a cell then the overflow message < OV > will be printed instead. Specifying zero decimal places in the equation that works out that result may mean that the answer will fit in

Here is a list of all the keys used by the program:

٧ display value screen Ε display equation screen

1 insert label, value or equation

C copy a cell

S save data to tape

L load data from tape 0 quit program

Cursor keys move cursor and shift 'paper'

910 IF z = 3 THEN LET v(1) = (CODE

s\$(1)) - 64: LET  $v(2) = VAL \ s\$(2)$ : LET v(3) = (CODE s\$(3)) - 64: LET v(4) = VAL

s\$(4 TO 5): LET o\$ = s\$(6): RETURN

920 IF z = 4 THEN LET v(1) = (CODE

s\$(1)) - 64: LET v(2) = VAL s\$(2 TO 3): LET v(3) = (CODE s\$(4)) - 64: LET

v(4) = VAL s\$(5 TO 6): LET o\$ = s\$(7): RETURN

930 IF z = 5 THEN LET v(1) = (CODE

s\$(1)) - 64: LET v(2) = VAL s\$(2): LET

v(3) = (CODE s\$(3)) - 64: LET v(4) = VALs\$(4): LET o\$ = s\$(5): RETURN

940 IF z = 6 THEN LET v(1) = (CODEs\$(1) - 64: LET v(2) = VAL s\$(2 TO 3):

LET v(3) = (CODE s\$(4)) - 64: LET

v(4) = VAL s\$(5): LET o\$ = s\$(6): RETURN

950 IF z = 7 THEN LET v(1) = (CODE

s\$(1)) - 64: LET v(2) = VAL s\$(2): LET

v(3) = (CODE s\$ (3)) - 64: LET v(4) = VALs\$(4 TO 5): LET o\$ = s\$(6): RETURN

960 IF z = 8 THEN LET v(1) = (CODE

s\$(1)) - 64: LET v(2) = VAL s\$(2 TO 3):

LET v(3) = (CODE s\$(4)) - 64: LET

v(4) = VAL s\$(5 TO 6): LET o\$ = s\$(7):

RETURN

970 IF z = 9 THEN LET v(1) = (CODE

s\$(1)) - 64: LET v(2) = VAL s\$(2): LET v(3) = (CODE s\$(3)) - 64: LET v(4) = VAL

s\$(4 TO 6): LET o\$ = s\$(7): RETURN

980 IF z = 10 THEN LET v(1) = (CODE

s\$(1)) - 64: LET v(2) = VAL s\$(2 TO 3): LET v(3) = (CODE s\$(4)) - 64: LET

v(4) = VAL s\$(5 TO 7): LET o\$ = s\$(8):

RETURN

990 LET v(1) = (CODE s\$(1)) - 64: LET v(2) = VAL s\$(2): LET v(3) = (CODE

s\$(3)) - 64: LET v(4) = VAL s\$(4 TO 7):

LET o\$ = s\$(8): RETURN

1000 RETURN

1010 IF d\$(v(2),v(1),1) > "9" THEN LET

t = 0: RETURN

1020 IF v(3) = 26 THEN LET b = v(4): LET a = VAL d\$(v(2),v(1), TO 8): GOTO 1050

1030 IF d\$(v(4),v(3),1) > "9" THEN LET t = 0: RETURN

1040 LET a = VAL d(v(2), v(1), TO 8): LET b = VAL d(v(4), v(3), TO 8)

1050 IF o\$ = "+" THEN LET t = a + b:

1060 IF o\$ = "-" THEN LET t = a - b:

RETURN

1070 IF o\$ = "/" AND b = 0 THEN LET t = 0: RETURN

1080 IF o\$ = "/" THEN LET t = a/b: RETURN

1090 IF o\$ = "\*" THEN LET t = a\*b: RETURN

1100 IF o\$ = """ THEN LET t = (a\*b)/100: RETURN

1110 IF o\$ = "\$" THEN LET t = 0: FOR

s = v(1) TO v(3): LET t = t + VAL d\$(v(2), s, s)OR VAL a\$(2 TO 3) =  $\emptyset$  OR VAL a\$(5) =  $\emptyset$ OR VAL  $a\$(4 \text{ TO } 5) = \emptyset \text{ OR VAL } a\$(2) = \emptyset$ (v(1) > v(3) OR v(2) < v(4)) THEN LETPAPER 7 – (2 AND g\$ = "2") – (g\$ = "1" AND t\$ = ``VAL''); (d\$(y + wy, x + wx, 9 TO)1290 IF CODE INKEY\$ = 12 AND os > 0 THEN LET os = os -1: LET s(os + 1) = ": PRINT AT  $cy^{2}$ ,  $((cx-1)^{9}) + 5 + os$ ; OVER Ø; BRIGHT Ø;" □ □": GOTO 127Ø 1300 IF CODE INKEY\$ = 13 AND s\$="\| \| \| \| \| \| \| \| \| \| \| \| THEN RETURN 1310 IF CODE INKEY\$ = 13 AND t\$ = "VAL" AND CODE s\$(1) > 64 THEN LET d\$(wy + cy - 1, wx + cx - 1,17) = "2":

LET d(wy + cy - 1, wx + cx - 1, TO)8) = s\$: LET y = cy - 1: LET x = cx - 1: GOSUB 1230: RETURN 1320 IF CODE INKEY\$ = 13 AND t\$ = "VAL" THEN GOSUB 1380: LET os = 0: LET d\$(wy + cy - 1, wx + cx - 1, TO 8) = s\$:LET y = cy - 1: LET x = cx - 1: GOSUB 1230: RETURN 1330 IF CODE INKEY\$ = 13 AND t\$ = "EQU" THEN GOSUB 1380: LET os = 0: LET d\$(wy + cy - 1, wx + cx - 1, 9 TO 16) = s\$: LET x = cx - 1: LET v = cv - 1: GOSUB 1230: RETURN 1340 GOTO 1270 1350 IF os = 8 AND t\$ = "VAL" THEN BEEP .1, -10: GOSUB 1380: LET d\$(wy + cy - 1, wx + cx - 1, TO 8) = s\$:LET y = cy - 1: LET x = cx - 1: GOSUB 1230: RETURN 1360 IF os = 8 AND t\$ = "EQU" THEN BEEP .1, -10: GOSUB 1380: LET d\$(wy + cy - 1, wx + cx - 1, 9 TO 16) = s\$:LET y = cy - 1: LET x = cx - 1: GOSUB 1230: RETURN 1370 GOTO 1270 1380 PRINT AT cy\*2, ((cx-1)\*9) + 5 + os; BRIGHT Ø; OVER 1;" $\square$ " 1390 IF t\$ = "EQU" THEN GOSUB 1490: RETURN 1400 GOSUB 1410: PRINT AT cy\*2, (cx - 1)\*9 + 5;s: RETURN 000": FOR u = 1 TO os: LET b\$(u + (8 - os)) = s\$(u): NEXT u 1420 FOR u = 1 TO 11 1430 IF b\$(u) <>"." THEN NEXT u 1440 IF u > = 11 THEN LET b\$(9) = ".": LET s\$ = b\$(4 TO): RETURN 1450 LET w = 6 - u1460 IF w < 0 THEN LET w = ABS w + 1: LET s\$ = b\$(w TO w + 8): RETURN 1480 FOR u = 1 TO 8 - w: LET s\$(w+u) = b\$(u): NEXT u: RETURN 1490 IF s\$(1) = "#" THEN LET d\$(wy + cy - 1, wx + cx - 1, 17) = "0": RETURN 1500 LET a\$ = "": FOR z = 1 TO 8: LET  $a\$ = a\$ + (s\$(z) \text{ AND } s\$(z) < > "\square")$ 1510 NEXT z: LET c = LEN a\$ 1520 IF c < 4 THEN LET d(wy + cy - 1), wx + cx - 1.17) = "4": RETURN 1530 RESTORE 1630: FOR z = 1 TO 11: LET  $f = \emptyset$ : READ m\$ 1540 FOR w=1 TO c 1550 IF m\$(w) = "A" THEN GOSUB 1650: IF f THEN GOTO 1610 1560 IF m\$(w) = "N" THEN GOSUB 1670: IF f THEN GOTO 1610 1570 IF m\$(w) = "0" THEN GOSUB 1690: IF

f THEN GOTO 1610 1580 IF m\$(w) = "Z" THEN GOSUB 1710: IF f THEN GOTO 1610 1590 NEXT w: GOSUB 1140: IF NOT f THEN LET s\$="□□□□□": FOR w = 1 TO c: LET s(w) = a\$(w): NEXT w:LET d\$(wy + cy - 1,wx + cx - 1,18 = CHR\$ z: LET d\$(wy + cy - 1, wx + cx - 1, 17) ="1": RETURN 1600 GOTO 1620 1610 NEXT z 1620 LET d(wy + cy - 1, wx + cx - 1,17) = "4": RETURN 1630 DATA "ANANOOO", "ANNANOO", "ANANNOO", "ANNANNO" 164Ø DATA "ANZNOOOO", "ANNZNOOO", "ANZNNOOO", "ANNZNNOO", "ANZNNNOO", "ANNZNNNO", "ANZNNNNO" 1650 IF a\$(w) > = "A" AND <math>a\$(w) < = "X"THEN RETURN 1660 LET f = 1: RETURN 1670 IF a\$(w) > = "0" AND <math>a\$(w) < = "9"THEN RETURN 1680 LET f=1: RETURN 1690 LET c\$ = a\$(w): IF c\$ = "+" OR c\$="-" OR c\$=""" OR c\$="/" OR c\$=""" OR c\$=""" OR c\$="%" THEN RETURN 1700 LET f = 1: RETURN 1710 IF a\$(w) = "Z" THEN RETURN 1720 LET f = 1: RETURN 1730 FOR y = 1 TO 30: FOR x = 1 TO 24: LET  $d\$(y,x, TO 8) = "\Box \Box \Box \Box \emptyset.\emptyset\emptyset"$ : LET d\$(y,x,17) = "0": LET d\$(y,x,18) = CHR\$Ø: NEXT x: NEXT y 1740 RESTORE 1750: FOR x = USR "a" TO USR "c" + 7: READ a: POKE x,a: NEXT x: RETURN 1750 DATA 8,8,8,8,8,8,8,8,8 1760 DATA 0,0,0,255,0,0,0,0 177Ø DATA 8,8,8,255,8,8,8,8 1780 INPUT "FILENAME?";n\$ 1790 SAVE n\$ DATA d\$() 1800 PRINT #1;AT 0,0;"PRESS V TO VERIFY□" 1810 PAUSE 0: IF INKEY\$ = "v" OR INKEY\$ = "V" THEN GOTO 1830 1820 RETURN 183Ø VERIFY n\$ DATA d\$(): RETURN 1840 INPUT "FILENAME?";n\$ 1850 LOAD n\$ DATA d\$(): RETURN CE 1720 S = CHR\$(13) + CHR\$(145) + "\_\_\_\_\_\_\_

1730 W\$ = "WRONG MODE FOR RELATIVE"

174Ø GOSUB 59Ø
1750 IF A\$=" <b>←</b> " THEN RETURN
1760 PRINT"ABSOLUTE OR RELATIVE";
1770 AA\$ = "A":BB\$ = "R":GOSUB 1280
178Ø IF TP = Ø AND A\$ = "R" THEN PRINT
\$\$;W\$;:FOR W=1 TO 1000:NEXT
1790 IF TP = 0 AND A\$ = "R" THEN RETURN
1800 IF A\$ = "A" THEN K1 = 0
1810 IF A\$ = "R"THEN K1 = 1
1820 PRINT S\$;
1830 PRINT"COLUMN OR ROW ALTER";
1840 AA\$="C":BB\$="R":GOSUB 1280
1850 IF A\$ = "C" THEN K2 = 1
1860 IF A\$="R" THEN K2=0
1870 PRINT S\$;
188Ø PRINT "☐ FROM COL ";
1890 AA\$ = "A":BB\$ = "W":GOSUB 1250
1900 C1 = ASC(A\$) - 64:PRINT A\$
1910 INPUT"ROW";R1
1920 IF R1 < 0 OR R1 > CM THEN PRINT
TAB(6)"□";:GOTO 1910 1930 PRINT"□TO□□□";
1940 IF K2 = 0 THEN AA\$ = "A":
BB\$ = "W":GOSUB 1250:C2 = ASC
(A\$) - 64:PRINTA\$;:R2 = R1
1950 IF K2 = 1THEN C2 = C1:PRINT
CHR\$(C2 + 64):INPUT" $\square$ ROW $\square$ ";
R2
1960 IF R2 < R1 OR R2 > RM THEN 1950
1970 ON $K1^2 + K2 + TP/2 + 1$ GOSUB1990,
2020,2070,2070,2080,2110,2140,2260
198Ø RETURN
199Ø GOSUB 24ØØ
2000 FOR NN = C1 TO C2:GOSUB 2450:NEXT
NN
2010 RETURN
2020 GOSUB 2400
2030 FOR NN = R1 TO R2
2040 A\$ = LEFT\$(D\$(NN,C1),8):
IF ASC(A\$) = 128 THEN A\$ = "□"+
RIGHT\$(A\$,7)

2Ø5Ø D\$(NN,C1) = A\$ + F\$
2060 NEXT NN
2070 RETURN
2080 GOSUB 2410
2090 FOR NN = C1 TO C2:GOSUB 2470:
NEXT NN
2100 RETURN
2110 GOSUB 2410
212Ø FOR NN = R1 TO R2:GOSUB 244Ø:
NEXT NN
2130 RETURN
2140 GOSUB 2410:GOSUB 2420
2150 FF = 0:IFX1 > 9 THEN FF = 1
216Ø AA\$ = MID\$(F\$,2,1 + FF)
2170 BB\$ = RIGHT\$(F\$,5 - FF)
218Ø FOR NN = C1 TO C2
2190 F\$ = CHR\$(64 + Y1) + AA\$ + CHR\$
(64 + Y2) + BB\$
2200 IF LEN(F\$) < 8 THEN F\$ = F\$ +
"□":GOTO 2200
2210 GOSUB 2470
2220 Y1 = Y1 + 1:Y2 = Y2 + 1:IF Y2 < 0 THEN
Y2 = -3
12 = -3 2230 IF Y2 = 24 THEN Y2 = 23
224Ø NEXT NN
225Ø RETURN
226Ø GOSUB 241Ø:GOSUB 242Ø
2270 FF = 0:IF X1 > 9 THEN FF = 1
228Ø IF X2 > 9 THEN FF = FF + 1
229Ø AA\$ = MID\$(F\$,5 + FF,2)
2300 FOR NN = R1 TO R2
231Ø X1\$ = RIGHT\$(STR\$(X1),LEN
(STR\$(X1)) — 1)
232Ø X2\$ = RIGHT\$(STR\$(X2),LEN
(STR\$(X2)) — 1)
2330F\$ = CHR\$(Y1 + 64) + X1\$ + CHR\$
(Y2 + 64) + X2\$ + AA\$
2340 IF LEN(F\$) < 8 THEN F\$ = F\$ +
"□":G0T0 234Ø
235Ø GOSUB 244Ø
2360 $X1 = X1 + 1:X2 = X2 + 1:IF Y2 = -3$

THEN X2 = X2 - 1
2370 IF Y2 = 24 THEN X2 = X2 - 1
238Ø NEXT NN
239Ø RETURN
2400 F\$ = RIGHT\$(D\$(R,C),8):
RETURN
2410 $F$ \$ = LEFT\$(D\$(R,C),8):
RETURN
2420 GOSUB 2480:IF X1 = 0 THEN GOSUB
2Ø8Ø:RETURN
243Ø RETURN
2440 $D$(NN,C1) = F$ + RIGHT$(D$(NN,C1),$
8):RETURN
2450  A = LEFT(D\$(R1,NN),8):IF
$ASC(A\$) = 128 \text{ THEN } A\$ = "\Box" +$
RIGHT\$(A\$,7)
2460 D\$(R1,NN) = $A$ \$ + F\$:RETURN
2470 $D(R1,NN) = F + RIGHT(D(R1,$
NN),8):RETURN
2480 F = 0
2490 Y1 = $ASC(MID\$(F\$,1,1)) - 64$
2500  X1 = VAL(MID\$(F\$,2,2))
2510 IF X1 > 9 THEN F = 1
2520 Y2 = $ASC(MID\$(F\$,(3+F),$
1)) — 64
2530 $X2 = VAL(MID\$(F\$,(4+F),2))$
2540 IF $X2 > 9$ THEN $F = F + 1$
2550  Q1\$ = OP\$: Q2\$ = MID\$(F\$,
5 + F,2)
256Ø GOSUB 267Ø
2570 D = $VAL(MID\$(F\$,6+F,1))$
258Ø RETURN
259Ø PRINT"TO START FROM:
COL + ROW ▶ 1";
2600 AA\$ = "A":BB\$ = "W":GOSUB 1250
261Ø PRINT A\$:CS = ASC(A\$) - 64
262Ø INPUT A\$:V = VAL(A\$)
2630 IF $V > RM - LM$ THEN $V = RM - LM + 1$
2640 IF V < 1 THEN V = 1
265Ø RS=V
266Ø RETURN
LOOP HELVIIII



Entering	equations	on the	Spectrum
----------	-----------	--------	----------

VAL	A	Б	C
1	0.00	0.00	0.00
2	64.00	2.99	191.36
3	50.00	8.60	430.00
4	44.00	14.99	659.56
5	56.00	19.99	1119.44
6	24.00	45.00	1080.00
7	16.00	10.50	168.00
8	48.00	8.50	408,00
9	0.00	0.00	0.00
10	0,00	0.00	4056,36

```
2670 Q = 0
2680 Q = Q + 1
2690 IF MID$(Q1$,Q,1) = Q2$ THEN RETURN
2700 IF Q < LEN(Q1$) THEN 2680
2710 Q = 0: RETURN
```

2020 NEXT, 2030 CLOSE # X

2040 ENDPROC

2050 DEF PROCload

```
1770 REM arithmetic routines
178Ø ans = FNv1 + FNv2:RETURN
1790 ans = FNv1 - FNv2: RETURN
1800 ans = FNv1*FNv2:RETURN
1810 IF FNv2 = 0 THEN ans = 0:
   RETURN ELSE ans = FNv1/FNv2:
   RETURN
1820 ans = FNv2*FNv1/100:RETURN
1830 ans = 0: FOR n\% = r1\% TO r2\%
1840 ans = ans + VAL(MID\$(D\$(n\%,c1\%),9)
   8))
1850 NEXT
1860 RETURN
1870 ans = 0:FOR n% = c1% TO c2%
188Ø ans = ans + VAL(MID\$(D\$(r1\%,n\%),9,8))
189Ø NEXT
1900 RETURN
1910 ans = FNv1:RETURN
1920 DEF PROCsave
1930 CLS
1940 PRINTTAB(0,5)"Do you wish to
   save""current data (Y/N)?□";
1950 PROCgetabs ("Y", "N")
1960 IF A$ = "N" ENDPROC
1970 X = OPENOUT("SprdDta")
1980 PRINT # X,0,0,"**"
1990 FOR c = 1 TO Cols
2000 FOR r=1 TO Rows
2010 IF LEFT$(D$(r,c),1) < > CHR$128
   PRINT \# X,r,c,D\$(r,c)
```

```
2060 PRINTTAB(0,5)"Do you wish to load""
   an existing file (Y/N)?□";
2070 PROCgetabs ("Y","N")
2080 IF A$ = "N" ENDPROC
2085 PRINT" PRESS PLAY ON RECORDER"
2090 X = OPENIN("SprdDta")
2100 REPEAT
2110 INPUT # X,r,c,D$(r,c)
2120 UNTIL EOF # X
2130 CLOSE # X
214Ø ENDPROC
2150 DEF PROCclrp(A$,vpos)
2160 PRINTTAB(0,vpos)SPC20
   TAB(Ø,vpos)A$;
217Ø ENDPROC
2180 DEF PROCreplicate
2190 vpos = VPOS
2200 PROCcellin(vpos)
2210 PRINTTAB(0, vpos + 1) CHR$(129); CHR$
   (Col + 64);Row;
2220 PROCcirp ("Absolute or
   Relative", vpos): PROCgetabs
   ("A","R")
2230 IF Type = 0 AND A$ = "R" PRINT"
   CHR$129;"Wrong mode for relative":
   A\$ = INKEY\$(200):ENDPROC
2240 IF A$ = "A" k1% = 0:A$ = "Abs"
2250 IF A$ = "R" k1% = 1:A$ = "Rel"
2260 PRINTTAB(7, vpos + 1)A$
227Ø PROCclrp("Column or Row alter □",
   vpos):PROCgetabs("C","R")
2280 IF A$ = "C" k2% = 1:A$ = "Col"
2290 IF A$ = "R" k2% = 0:A$ = "Row"
2300 PRINTTAB(12, vpos + 1)A$
231∅ PROCclrp("From ",vpos)
232Ø PROCgetbet("@","Y"):c1% =
   ASC(A\$) - 64:PRINTA\$;
233Ø REPEAT PRINTTAB(6,vpos)SPC(4);:
   VDU8,8,8,8:INPUT""r1%:UNTIL r1% > 0
   AND r1\% < = Rows
```

2340 PRINTTAB(18, vpos + 1) CHR\$(c1% +

```
64);r1%
2350 PROCcirp("To \( \subseteq \subseteq \text{",vpos)}
2360 IF k2\% = 1 PRINTCHR$(c1% + 64);:
   REPEAT PRINTTAB(6,vpos)SPC(4);:VDU8,8,
   8,8:INPUT""r2%:UNTIL r2% > r1% AND
   r2\% < = Rows:c2\% = c1\%
2370 IF k2% = 0 PROCgetbet("@","Y"):
   c2\% = ASC(A\$) - 64:PRINTA\$; r2\% = r1\%
2380 PRINTTAB(22, vpos + 1) CHR$(c2% +
   64);r2%
2390 ON k1%*2 + k2% + Type/2 + 1 GOSUB
   2410,2440,2490,2490,2500,2530,2560,
2400 ENDPROC
2410 GOSUB2800
2420 FOR n% = c1% TO c2%:GOSUB
   2850:NEXT
2430 RETURN
2440 GOSUB 2800
2450 FOR n% = r1% TO r2%
2460 A$ = LEFT$(D$(n%,c1%),8):IF ASC
   (A\$) = 128 A\$ = "\Box" + RIGHT\$(A\$,7)
2470 D(n\%,c1\%) = AS + F$
248Ø NEXT
2490 RETURN
2500 GOSUB2810
2510 FOR n% = c1% TO c2%:GOSUB
   287Ø:NEXT
2520 RETURN
2530 GOSUB2810
2540 FOR n% = r1% TO r2%:GOSUB
   2840:NEXT
2550 RETURN
256Ø GOSUB281Ø:GOSUB282Ø
2570 f% = 0:IF \times 1\% > 9 f% = 1
2580 a$ = MID$(F$,2,1 + f%)
2590 b$ = RIGHT$(F$,5 - f%)
2600 FOR n% = c1% TO c2%
2610 F$ = CHR$(64 + y1\%) + a$ + CHR$
   (64 + y2\%) + b$
```

```
8288$2
```



2620 IF LENF\$ < 8 F\$ = F\$ + "□":

The equations screen on the Acorn

Entering values and labels

GOTO2620 2630 GOSUB 2870 2640 y1% = y1% + 1:y2% = y2% + 1:IF  $y2\% < \emptyset \ y2\% = -3$ 2645 IF v1% = 24 OR v2% = 24 THEN n% = c2%: GOTO 2660 2650 IF y 2% = 25 y 2% = 24**2660 NEXT** 2655 IF y1% = 25 y1% = 242670 RETURN 268Ø GOSUB281Ø:GOSUB282Ø 2690 f% = 0: IF  $\times 1\% > 9$  f% = 12700 IF x2% > 9 f% = f% + 12710 a = MID\$(F\$,5+f%,2)2720 FOR n% = r1% TO r2% 2730 F\$ = CHR\$(y1% + 64) + STR\$(x1%) +CHR\$(y2% + 64) + STR\$(x2%) + a\$2740 IF LENF\$ < 8 F\$ = F\$ + " $\square$ ": **GOTO 2740** 2750 GOSUB 2840  $2760 \times 1\% = x1\% + 1:x2\% = x2\% + 1:IF$  $y2\% = -3 \times 2\% = \times 2\% - 1$ 2765 IF x1% = 21 OR x2% = 21 THEN n% = r2%:GOTO 278Ø 2770 IF  $v2\% = 24 \times 2\% = x2\% - 1$ 2775 IF  $v1\% = 24 \times 1\% = x1\% - 1$ 278Ø NEXT 2790 RETURN 2800 F\$ = RIGHT\$(D\$(Row,Col),8):RETURN 2810 F\$ = LEFT\$(D\$(Row,Col),8):RETURN 2820 PROCdecode: IF x1% = 0 GOSUB2500: RETURN 2830 RETURN 2840 D(n%,c1%) = F + RIGHT(D(n%,c1%),8):RETURN 2850 A\$ = LEFT\$(D\$(r1%,n%),8):IF  $ASC(A\$) = 128 A\$ = "\Box" + RIGHT\$$ (A\$,7)2860 D\$(r1%,n%) = A\$ + F\$:RETURN 2870D\$(r1%,n%) = F\$ + RIGHT\$(D\$(r1%,n%),8):RETURN 288Ø DEF PROCdecode 2890 f% = 0 2900 y1% = FNc(1):x1% = FNr(2)2910 IF x1% > 9 f% = 12920 v2% = FNc(3 + f%):x2% = FNr(4 + f%)2930 IF x2% > 9 f% = f% + 12940 op% = INSTR(Op\$,MID\$(F\$,5 + f%)) 2950 d% = FNr(6 + f%)296Ø ENDPROC 2970 DEF PROCwindowstart 298Ø PRINT"To start from: Col + Row □ ";:PROCgetbet("@","Y") 2990 PRINTA\$;: Colstart = ASC(A\$) - 64 3000 IFColstart > Cols - 3 THEN Colstart = Cols - 33010 INPUT""A\$:v = VALA\$ 3020 IF  $v > Rows - Length \square v = Rows -$ Length + 13030 IF v < 1 v = 1

3050 ENDPROC 3060 IF ERR = 17 THEN 170 3070 REPORT: PRINT" □ AT LINE □"; ERL:\*FX4 3Ø8Ø END

### CHANGES FOR THE ELECTRON

You'll need to make a few changes to the Acorn program so that it will run on the Electron. Delete Lines 140, 360, 440 to 480 and 770 then change:

10 MODE 6:\*FX4.1 50 DIM D\$(Rows, Cols): VDU 23,128,0,0,0,0, 0.0.0.0 370 IF Type = Ø PRINT" □ "RIGHT\$(D\$ (r,c),8);38Ø IF Type = 8 PRINT" □ "LEFT\$(D\$ (r,c),8);540 PRINT" < TAB> to exit  $\square : \square$ "; 1310 PRINT"WORKING" 2210 PRINTTAB( $\emptyset$ ,vpos + 1)CHR\$(Col + 64); Row: 2230 IF Type = 0 AND A\$ = "R" PRINT""Wrong mode for relative": A\$ = INKEY\$(200):ENDPROC

### 

(D\$(CC, CR)) = 1 THEN PRINT "NOTHING TO COPY": SOUND5,5: FOR K=1 TO 500: NEXT: RETURN ELSEPRINT "aBSOLUTE OR rELATIVE COPY"; 1500 A\$ = INKEY\$:IF A\$ = "" THEN1500 1510 IF A\$ = CHR\$(13) THEN RETURN 1520 IF A\$ = "A" THEN TC = 1: GOT01540 1530 IF A\$ < > "R" THEN 1490 ELSE  $TC = \emptyset$ 1540 PRINT@448 1550 IF  $TC = \emptyset$  AND ASC(D\$(CC,CR))

1490 PRINT @448: PRINT @448,;: IF LEN

< > 131 THEN PRINT@448,"WRONG COPY MODE - EQUATIONS ONLY":: SOUND 1,5:FORD = 1TO500:NEXTD:GOTO 490

1560 PRINT@448:PRINT@448,"cOLUMN OR rOW COPY";

1570 A\$ = INKEY\$:IF A\$ = "" THEN1570 1580 IF A\$ = CHR\$(13) THENRETURN

1590 IF A\$ = "C" THEN DC = 1:GOTO 1610

1600 IF A\$ < > "R" THEN 1560 ELSE

161Ø PRINT@448:PRINT@448,"START AT CELL";:INPUT A\$:IF A\$ = "" THEN **RETURN** 

1620 S1 = ASC(A\$) - 64:IF S1 < 1 ORS1 > 25 THEN 1610

1630 S2 = VAL(MID\$(A\$,2)): IF S2 < 1 OR S2 > 30 THEN 1610

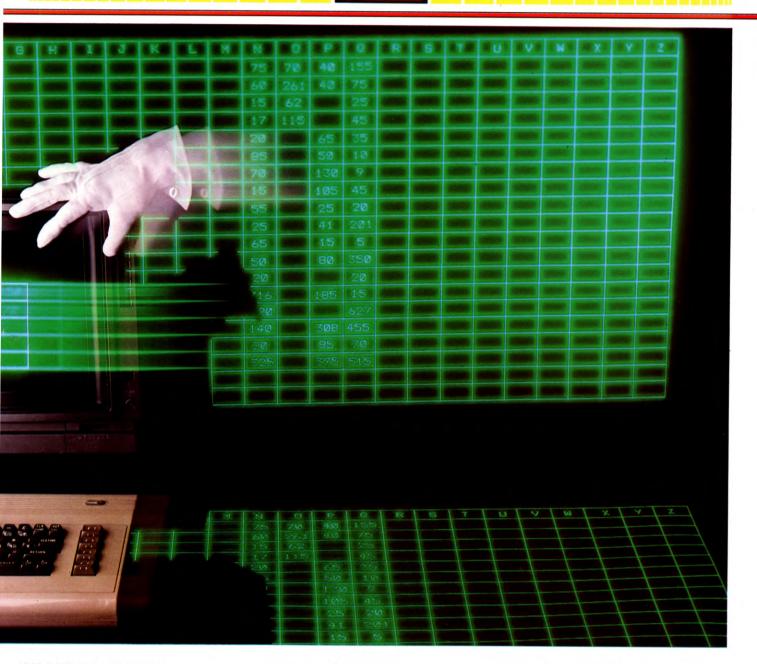
1640 PRINT@448:PRINT@448,"FINISH AT CELL";:INPUT A\$



1650 IF A\$="" THENRETURN 1660 C1 = ASC(A\$) - 64:IF C1 < 1 ORC1 > 25 THEN 1640 1670 C2 = VAL(MID\$(A\$,2)):IF C2 < 1 ORC2 > 30 THEN 1640 1680 PRINT@448,"COPYING - WAIT" 169Ø IF TC = 1 THEN 197Ø 1700 IF DC = 1 THEN 1840 1710 IF C2 < > S2 THEN 2090 1720 AS = ASC(MID\$(D\$(CC,CR), 2)) -64:IF AS < > 26 ANDAS + C1 - S1 > 25 THEN C1 = 25 + S1 - AS1730 AS = ASC(MID\$(D\$(CC,CR)),5)) -64:IF AS < > 26 ANDAS + C1 - S1 > 25 THEN

C1 = 25 + S1 - AS

3040 Rowstart = v



1740 D(S1,S2) = D(CC,CR)1750 FOR I = S1 + 1 TO C1 1760 A = D(I - 1,S2)1770 IF MID\$(A\$,2,1) = "Z" THEN 1790 1780 MID(A\$,2,1) = CHR(ASC(MID\$)(A\$,2,1))+1)1790 IF MID\$(A\$,5,1) = "Z" THEN 1810 1800 MID(A\$,5,1) = CHR\$(ASC(MID\$)(A\$,5,1))+1)1810 D\$(I,S2) = A\$:NEXT 1820 IF C1 > CX THEN CX = C1 1830 GOTO 2080 1840 IF C1 < > S1 THEN 2090 1850 AS = VAL(MID\$(D\$(CC,CR),3,2)):IFAS + C2 - S2 > 30 THEN C2 = 30 + S2 - AS1860 AS = VAL(MID\$(D\$(CC,CR),6)):IF

AS + C2 - S2 > 30 THEN C2 = 30 + S2 - AS1870 D(S1,S2) = D(CC,CR)1880 FOR I = S2 + 1 TO C2 1890 A = D(S1, I-1)1900 IF MID\$(A\$,2,1) = "Z" THEN 1920 1910 V = VAL(MID\$(A\$,3,2)) + 1:IF V < 10THEN MID(A\$,3,2) = STR(V) ELSE M!D\$(A\$,3,2) = MID\$(STR\$(V),2,2)1920 IF MID\$(A\$,5,1) = "Z" THEN 1940 1930 V = VAL(MID\$(A\$,6,2)) + 1:IF V < 10THEN MID(A\$,6,2) = STR(V) ELSE MID\$(A\$,6,2) = MID\$(STR\$(V),2,2)1940 D\$(S1,I) = A\$:NEXT1950 IF C2 > RX THEN RX = C2 1960 GOTO 2080 1970 IF DC = 1 THEN 2030

1980 IF C2 < > CR THEN 2090 1990 FOR I = CC + 1 TO C1 2000 D\$(I,CR) = D\$(I-1,CR): **NEXT** 2010 IF C1 > CX THEN CX = C1 2020 GOTO 2080 2030 IF C1 < > CC THEN 2090 2040 FOR I = CR + 1 TO C2 2050 D(CC,I) = D(CC,I-1): NEXT 2060 IF C2 > RX THEN RX = C2 2070 GOTO 2080 2080 MO = 1:GOSUB70:RETURN 2090 PRINT@448,"error IN DESTINATION":SOUND1,5:FORD = 1 TO5ØØ:NEXTD 2100 GOTO 2080

### 36

# SOLIDS OF ROTATION



(3)





Here is a handy technique that lets you turn a simple outline into a three-dimensional shape. Use it to design anything from a set of cocktail glasses to a top hat



You can draw up to 20 lines in the outline. This is usually more than enough and most shapes can be drawn with about half a dozen lines. However, curves in the outline have to be made up from a series of short straight lines and this will take up more lines than a simple angular shape.

### A POINT OF VIEW

The program also gives you control over the direction from which you look at the objectnot only from above, below, or straight on, but from anywhere else as you can specify the exact angle of view (an angle of about 70° gives a good view from above, as though you

the space key then you can choose to view the same shape from a different angle.

### ADDING SOME SPIN

On all but the Commodore you can also see the object spin by pressing one of the other keys. To make the shape spin, the program first saves the picture in memory using paged graphics techniques (see pages 1024 to 1029) and 1132 to 1137). The solid is then redrawn slightly differently as though it had been rotated a few degrees. This page is then saved as well and the procedure is repeated several times. Once all the pages have been drawn and saved in memory they are called back and displayed one after the other, making the object appear to rotate.

The reason the Commodore program doesn't do this is because, when using paged graphics, the amount of screen that can be used is rather small and, given the screen's limited resolution, the lines making up the object would tend to blur together too much to be visible. By dispensing with the spinning effect the object can be made much larger and so clearer.



USING THE PROGRAM

Enter the program now and try drawing some shapes. The procedure for drawing is to move • the cursor to the place you want a line to start at, then press an appropriate key to mark the starting point. Then move the cursor to

section—such as a vase or bowl, a glass, a candlestick or bell, a top hat, an apple or orange, or a thousand other things. Because the program rotates your original line, the solid shape produced is called a solid of rotation. The program also lets you view the object from any angle, and as an extra bonus (except with the Commodore) it introduces some animation into the picture by spinning the object about its axis.

### DRAWING THE SHAPE

Drawing the outline of your shape is very easy-the program uses the rubber-banding technique, where you can stretch and move a line about until you're happy with its position. Rubber-banding allows interactive control over the shape you're drawing, letting you see by eye when each line is in the right place. (See pages 998 to 1003 for more information on rubber-banding.)

were looking at the object on a table). You can change the angle at any time and the program redraws the solid of rotation with the new orientation.

The program stores the coordinates of all your lines. When you have finished drawing it takes each line in turn and rotates it about the centre point in steps of 18 degrees—giving 20 steps around the whole circle. The angle of view is also taken into account and the circle appears more and more flattened as the viewpoint gets lower. The finished effect can be seen in the screen pictures and drawings on the following pages.

Once the first view has been drawn the program waits. If you press the space bar or





object.

ALTERING THE VIEWPOINT
SPINNING THE SHAPE
PAGED GRAPHICS
ENTERING THE PROGRAM
HOW IT WORKS

manipulate the 'rubber-band' line on the screen. When you're happy with its position, and want to 'fix' it in place you press another key. Continue like this—moving and stretching the rubber-band and fixing lines—to build up the profile.

On the Spectrum use the cursor keys to move the cursor; M to mark the starting position and [ENTER] to 'fix' each section of the profile. Press Q when the design is complete to move on to the next stage, the running of the program.

On the Commodore use the Z X; and / keys to move the cursor. Use the  $\leftarrow$  symbol to mark the start position and  $\boxed{SPACE}$  to fix each line. Press  $\boxed{RETURN}$  when you've finished.

On the Acorn, Z X P and L move the cursor and SPACE fixes the line. The first time you press SPACE no line is drawn so use this to mark the start position. Press RETURN to end

Finally, on the Dragon and Tandy the arrow keys move the cursor, **ENTER** marks the start position, **SPACE** fixes a line and Y ends.

When you draw the shape you can speed up movement of the cursor by simultaneously pressing [CAPS SHIFT] on the Spectrum, [SHIFT] on the Commodore and Acorn, and [CLEAR] on the Dragon and Tandy.

- 10 PRINT AT 0,10; INK 2; PAPER 5; "3D ROTATION": PAUSE 100
- 20 PAUSE 2500
- 30 CLEAR 30000: PAPER 0: INK 5: CLS : POKE 23658,0
- 40 GOSUB 2000: BORDER 0
- 50 PRINT AT 0,0; PAPER 6; INK
  0; OMOVE LINE = CURSOR
- KEYS O O O O (CAPSHIFT FOR DOUBLE SPEED MOVE)"
- 70 INPUT "ENTER ANGLE OF VIEW (0–180)";i: IF i < 0 OR i > 180 THEN GOTO 70
- 80 PLOT 60,100: DRAW 135,0: DRAW 0, -49: DRAW -135,0: DRAW 0,49

90 LET is = SIN ( $i/180^*PI$ ) 100 LET bf = 0: LET a\$ = "" 110 LET x = 128: LET y = 51120 LET xx = x: LET yy = y130 OVER 1 140 PLOT x,y: DRAW xx - x,yy - y150 PLOT x,y: DRAW xx - x,yy - y160 LET z\$ = INKEY\$: IF z\$ = "" THEN GOTO 140 170 LET z = CODE z\$ 180 IF z = 13 THEN GOSUB 500 190 IF z = 113 THEN GOTO 600 195 IF z = 109 AND bf < > 1 THEN PLOT 255 - x,y: LET x = xx: LET y = yy: LET 200 IF z = 53 AND xx > 128 THEN LET xx = xx - 1210 IF z = 8 AND xx > 130 THEN LET xx = xx - 2220 IF z = 55 AND yy < 100 THEN LET yy = yy + 1230 IF z = 11 AND yy = 98 THEN LET yy = yy + 2240 IF z = 56 AND xx < 195 THEN LET xx = xx + 1250 IF z = 9 AND xx < 194 THEN LET xx = xx + 2260 IF z = 54 AND yy > 52 THEN LET yy = yy - 1270 IF z = 10 AND yy > 51 THEN LET yy = yy - 2280 GOTO 140 500 OVER 0: PLOT x,y: DRAW xx - x, 510 PLOT 255 — x,y: DRAW x - xx,

520 LET x = xx: LET y = yy: LET

(y — 51): OVER 1: RETURN

640 IF a < > 0 THEN GOTO 670

KEY TO ALTER VIEW

610 FOR a = 0 TO 7

OF 8" 630 GOSUB 1000

a\$ = a\$ + CHR\$ (x - 128) + CHR\$

600 INK 7: CLS: OVER 0: DIM a(20,2)

620 PRINT AT 21,3; PAPER 2; BRIGHT

1;"DRAWING PICTURE  $\square$ "; a + 1;"  $\square$  OUT

ANGLE□"""□□□ANY OTHER KEY TO

65Ø PRINT AT 2Ø,Ø; INVERSE 1;"□SPACE

660 LET X\$ = INKEY\$: IF X\$ = "" THEN

21

GOTO 650
662 IF X\$ < > "□" THEN GOTO 670
664 INPUT "ENTER NEW ANGLE
(0-180)";i
666 IF i < 0 OR i > 180 THEN GOTO 662
668 CLS: LET is = SIN (i/180\*PI);
GOTO 620
670 GOSUB 1600
680 CLS
690 NEXT a
700 PRINT AT 20,11; PAPER 7; INK
1;"□ FRAME: □";



710 FOR a = 128 TO 240 STEP 16 720 POKE 30114,a: RANDOMIZE USR 30112 730 PRINT AT 20,19;a/16 740 NEXT a: GOTO 710 1000 FOR b = 1 TO LEN a\$ STEP 2 1010 LET  $x = CODE \ a\$(b)$ 1020 LET y = CODE a(b+1)1030 GOSUB 1500 1040 NEXT b 1050 RETURN 1500 FOR c = 0 TO 399 STEP 20

1510 LET  $d = c + (2.25^{\circ}a)$ :LET py = is'y 1515 IF d > = 360 THEN LET d = d - 3601520 GOSUB 1530: NEXT c 1525 DRAW bx — xd,by — yd: RETURN

1530 LET yd = SIN (d/180°PI) x COS (i/180°PI) 1532 LET  $xd = COS (d/180^{\circ}PI)^{\circ}x$ 

1535 LET xd = 128 + xd: LET

yd = 90 + yd + py

1540 IF  $c = \emptyset$  THEN PLOT xd,yd: LET bx = xd: LET by = yd

1550 DRAW xd — PEEK 23677,yd — PEEK 23678

1560 IF b = 1 AND bf = 1 THEN GOTO 1580 1565 IF b = 1 THEN PLOT 128,90: DRAW

xd — 128,vd — 90: GOTO 1580

1570 PLOT a(1 + c/20,1), a(1 + c/20,2): DRAW xd - a(1 + c/20,1),yd - a(1 + c/20,2)

1580 LET a(1 + c/20,1) = xd

1585 LET a(1 + c/20,2) = yd

1590 RETURN

1600 POKE 30102,128 + a\*16

1610 RANDOMIZE USR 30100

1620 RETURN

2000 RESTORE 2050

2010 FOR a = 0 TO 23

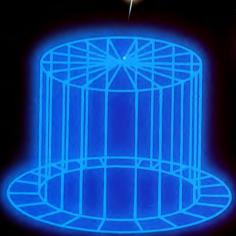
2020 READ b: POKE a + 30100, b

2030 NEXT a

2040 RETURN

2050 DATA 17,0,0,33,0,64,1,0,16,237,176,

2060 DATA 33,0,0,17,0,64,1,0,16,237,176, 201



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You will need a Simons' Basic cartridge or INPUT's hi-res graphics utility in order to RUN this program.

10 HIRES 3,6:COLOUR 6,6:DIM A(19,1): POKE 650,128

20 RD = ATN(1)/45

40 BX = 141:BY = 190:XX = BX:YY = BY:

X = BX:Y = BY

50 REC 59,141,163,51,2

60 LINE BX, BY, X, Y, 2

70 GET K\$:CP = PEEK(197):IF K\$ = "□" THEN GOSUB 500

80 M = 2:IF PEEK(653) = 1 THEN M = 8

90 LINE BX,BY,X,Y,2:IF K\$ = "←" AND A\$ = "" THEN BX = X:BY = Y:BF = 1:

GOSUB 500

100 IF K\$ = CHR\$(13) AND LEN(A\$)  $> \emptyset$ **THEN 160** 

110 IF CP = 50 AND Y - M > 142 THEN

Y = Y - M

120 IF CP = 55 AND Y + M < 191 THEN Y = Y + M

130 IF CP = 12 AND X - M > 140 THEN

X = X - M

140 IF CP = 23 AND X + M < 220 THEN X = X + M

150 GOTO 60

160 GOSUB 2000: HIRES 0,0: MULTI 3,6,14: COLOUR 6,0

170 GOSUB 1000:COLOUR 14,0 190 GET K\$:IF K\$ = "□" THEN 160

195 GOTO 190

500 LINE BX, BY, X, Y, 1



510 LINE 281 — BX, BY, 281 — X, Y, 1

(X - 141) + CHR\$(190 - Y):RETURN1000 FOR B = 1 TO LEN(A\$) STEP 2 1010 X = ASC(MID\$(A\$,B,1)):Y = ASC(MID\$(A\$,B+1,1)1020 GOSUB 1500:NEXT B 1040 RETURN i500 FOR C = 0 TO 399 STEP 20 1510 D = C:PY =  $IS^*(Y^*.5)$ 1520 GOSUB 1530:NEXT C:RETURN 1530 YD = 100 - SIN(D\*RD)\*X\*COS(I\*RD) -PY:XD = 80 + COS(D\*RD)\*X1540 IF  $C = \emptyset$  THEN BX = XD:BY = YD:XX = XD:YY = YD1550 LINE XX,YY,XD,YD,1:XX = XD:YY = YD

520 BX = X:BY = Y:A\$ = A\$ + CHR\$

1560 IF B = 1 AND BF = 1 THEN 1580 1565 IF B = 1 THEN LINE 80,91,XD,YD,2: **GOTO 1580** 1570 LINE A(C/20,0),A(C/20,1),XD,YD,3

1580 XX = XD:YY = YD:A(C/20,0) = XD:

A(C/20,1) = YD:RETIRN

2000 NRM:I = 0:INPUT " ■ ANGLE OF VIEW (0-180)";I

2010 IF I < 0 OR I > 180 THEN 2000 2020 IS = SIN(I\*RD):RETURN



Note the changes below for the Electron.

10 DIM A(19,1),X(20),Y(20)

20 MODE1:VDU23;8202;0;0;0;

 $40 \text{ BX} = 644:\text{BY} = 104:\text{X} = \text{BX}:\text{Y} = \text{BY}:\text{N} = \emptyset$ 

**50 PROCDRAW** 

60 GOSUB2000:MODE4:

VDU23;8202;0;0;0;

70 HIMEM = \$3000:?\$34E = \$30

8Ø VDU23;6,16,0;0;0;

90 A = 0:PROCSCREEN

100 VDU 24,0;512;1279;1023;:FOR A = 3 TO

Ø STEP — 1:CLG:GOSUB1000:IF A = 3

THEN G = GET:IF G = 32 THEN  $A = \emptyset$ :

NEXT:MODE4:GOTO 60

110 PROCSCREEN: NEXT

410 DEX

430 RTS

420 BNE L2

120 FOR A = 0 TO 3:D = INKEY(10): PROCSCREEN: NEXT 13Ø IF INKEY(1) = 32 THEN GOSUB 2000: **GOTO 90 ELSE 120** 140 DEF PROCSCREEN 145 \*FX19 150  $X\% = \&6C - A^*\&14:?\&351 = X\%:$ ?8350 = 0:X% = X%\*3216Ø VDU 23;13,X%MOD256,Ø;Ø;Ø;23;12,X% DIV256,0;0;0; 18Ø ENDPROC 500 DEF PROCDRAW 510 MOVE80,100:DRAW80,500:DRAW 1200, 500:DRAW 1200,100:DRAW80,100 520 GCOL3,3:IF N < >0 THEN MOVE BX,BY:DRAWX,Y□ELSE PLOT69,X,Y 530 IF INKEY( - 99) THEN PROCIN 540 IF INKEY( - 1) THEN M = 16 ELSE M = 4 550 IF N < >0 THEN MOVE BX,BY:DRAW X,Y □ ELSE PLOT69,X,Y 560 IF INKEY(-74) AND N>0 OR N = 20 THEN ENDPROC 570 IF INKEY(-87) AND Y-M > 100 THEN Y = Y - M580 IF INKEY(-56) AND Y + M < 500 THEN Y = Y + M590 IF INKEY( -98) AND X -M > 636 THEN X = X - M600 IF INKEY( -67) AND X + M < 1200 THEN X = X + M61Ø GOTO 52Ø 62Ø DEF PROCIN 630 IF N = 0 THEN 660 64Ø GCOLØ,3:MOVEBX,BY:DRAWX,Y 650 MOVE1280 — BX,BY:DRAW 1280 — X,Y 660 BX = X:BY = Y:X(N) = X - 640:Y(N) = Y - 100:N = N + 1:REPEATUNTIL $INKEY(-99) = \emptyset:ENDPROC$ 1000 FOR B = 0 TO N - 11010 X = X(B):Y = Y(B)1020 GOSUB1500:NEXT 1040 RETURN 1500 FOR C = 0 TO 360 STEP 20 1510 D = RAD(C + 5\*A):PY = IS\*Y152Ø GOSUB 153Ø:NEXT:RETURN 1530 YD = 700 + (SIND\*X\*COS(RAD(I)) + $PY)/2:XD = 640 + (COSD^*X)/2$ 1540 IF  $C = \emptyset$  THEN MOVEXD, YD:BX = XD: BY = YD

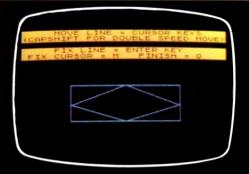
1550 DRAW XD,YD 1560 IF  $B = \emptyset$  THEN MOVEXD, YD: GOTO 1580 1570 MOVE A(C/20,0),A(C/20,1):DRAWXD, 1580 A(C/20,0) = XD:A(C/20,1) = YD:RETURN 2000 CLS:\*FX15,0 2010 INPUT"ANGLE OF VIEW (0-180) □",I 2020 IFI < 00RI > 180THEN2000 2030 IS = SIN(RAD(I)):RETURN On the Electron, if you want to see the object spin, delete Lines 80 and 145 and then enter the following lines: 30 PROCASS 90 VDU 23;13,128,0;0;0;23;12,13,0;0;0;: 2.8351 = 6.6C:2.8350 = 0120 FOR A = 1 TO 3:PROCSCREEN:NEXT  $150 \text{ X}\% = \&6C - A^*\&14$ 160 Y% = &6C170 CALL SWITCH 180 ENDPROC 200 DEF PROCASS 210 DIM SWITCH 100 220 FOR T = 0 TO 2 STEP 2 230 P% = SWITCH 240 [OPT T 25Ø STX &71 26Ø STY &73 270 LDX #20 280 LDY #0 29Ø STY &7Ø 300 STY &72 31Ø .L2□LDA (&7Ø),Y 320 PHA 330 LDA (&72),Y 340 STA (&70),Y 350 PLA 360 STA (&72),Y 37Ø INY 380 BNE L2 39Ø INC &71 400 INC &73

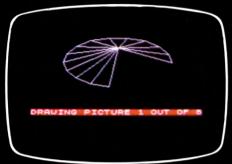
440 INEXT 450 ENDPROC 22 For the Tandy, change the 223 in Line 20 to 247. 10 PMODE2,1:PCLEAR2:CLEAR200,7679: DIMA(19.1) 20 RD = ATN(1)/45:V = 22330 PCLS1:SCREEN1,0 40 BX = 128:BY = 190:DRAW"BM128,190"X = BX:Y = BY50 LINE(31,191) — (255,140), PRESET, B 60 LINE(BX,BY) - (X,Y), PRESET 70 IFPEEK(345) = V GOSUB500 80 IFPEEK(339) = 191THENM = 4 ELSEM = 1 90 LINE(BX,BY) - (X,Y),PSET:IF PEEK(338) = 191 AND A = "" THEN BX = X:BY = Y:BF = 1:GOSUB500100 IFPEEK(339) = V ANDLEN(A\$) > 0 THEN 110 IFPEEK(341) = V ANDY - M > 141 THEN Y = Y - M120 IFPEEK(342) = V ANDY + M < 191 THEN Y = Y + M130 IFPEEK(343) = V ANDX - M > 127 THEN X = X - M140 IFPEEK(344) = V ANDX + M < 223 THEN X = X + M15Ø GOTO6Ø 160 GOSUB2000:SCREEN1,0:FORA = 0TO6:  $PCLS1:FORG = \emptyset TOA:PRESET(\emptyset,G^2):NEXT$ 170 GOSUB1000

1195

18Ø G\$ = INKEY\$

190 IF A = 0 AND G\$ = "" THEN 180







### The firt step is to draw in the outline of your design

200 IF A = Ø AND G\$ = "□" THEN160
210 NEXT
220 FORA = ØTO6:PCOPY5 + A\*2TO1:PCOPY
6 + A\*2TO2:NEXT
230 IFINKEY\$ = "□" THEN160 ELSE220
500 LINE(BX,BY) − (X,Y),PRESET
510 LINE(255 − BX,BY) − (255 − X,Y),
PRESET
520 BX = X:BY = Y:A\$ = A\$ + CHR\$
(X − 128) + CHR\$(190 − Y):RETURN
1000 FORB = 1TOLEN(A\$) STEP2
1010 X = ASC(MID\$(A\$,B,1)):Y = ASC(MID\$
(A\$,B + 1,1))

### The computer then builds up the picture a section at a time

1020 GOSUB1500:NEXT
1030 PCOPY1T05 + A\*2:PCOPY2T06 + A\*2
1040 RETURN
1500 FORC = 0T0360 STEP20
1510 D = C + 20\*A/7:PY = IS\*Y
1520 GOSUB1530:NEXT:RETURN
1530 YD = 110 - SIN(D\*RD)\*X\*COS(I\*RD) - PY:XD = 128 + COS(D\*RD)\*X
1540 IFC = 0 THENLINE(XD,YD) - (XD,YD), PRESET:BX = XD:BY = YD
1550 LINE - (XD,YD),PRESET
1560 IFB = 1 ANDBF = 1 THEN1580 ELSEIF B = 1 THENLINE(128,110) - (XD,YD),

### The finished design is a solid-looking wireframe drawing

PRESET:GOTO1580

1570 LINE(A(C/20,0),A(C/20,1)) — (XD,YD), PRESET

1580 A(C/20,0) = XD:A(C/20,1) = YD: RETURN

2000 CLS:INPUT"  $\square$  ANGLE OF VIEW (0–180)  $\square$ "; |

2010 IF I < 0OR I > 180 THEN2000

2020 IS = SIN(I\*RD):RETURN

### HOW IT WORKS

All the programs work in much the same way. The important parts are the routines that let you draw the outline, create the solid and cause it to spin.

### ENTERING YOUR PROFILE

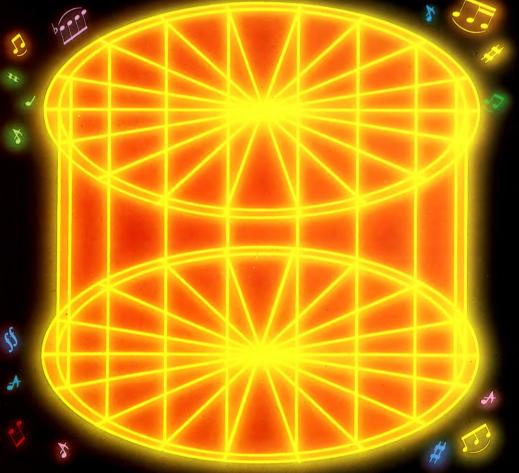
The rubber-banding routine starts at Line 140 on the Spectrum, Line 60 on the Commodore, Dragon and Tandy and PROCDRAW on the Acorns. This routine is mostly concerned with checking which keys have been pressed and updating the coordinates of the stretched line. The actual drawing of the line is done by the routine at Line 500, which also draws in the mirror image of the line.

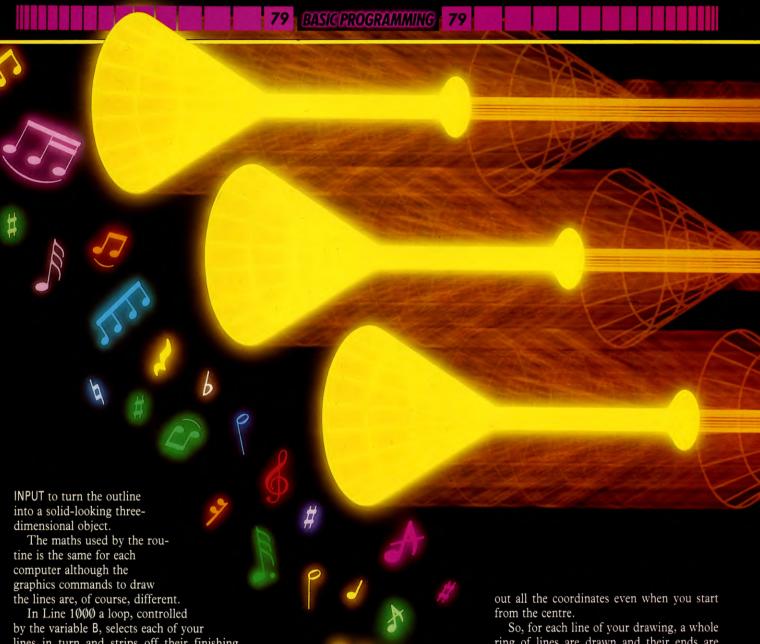
As each line is fixed, the coordinates of its end point are stored. First of all a number is subtracted from each coordinate in order to give a point measured relative to the centre line. Then, on all but the Acorn, the numbers are turned into a string and each is added on to the end of A\$ (or a\$). On the Acorn, the coordinates are stored in two arrays X() and Y()

The routine at Line 2000 (Line 70 on the Spectrum) lets you INPUT your angle of view; any angle between 0 and 180 degrees is accepted. The program now immediately jumps to the routine at Line 1000 which creates and draws the three-dimensional solid.

### THE THIRD DIMENSION

This routine uses the stored coordinates of the lines you have drawn and the angle you





In Line 1000 a loop, controlled by the variable B, selects each of your lines in turn and strips off their finishing coordinates from A\$ (or the two arrays on the Acorn). It then jumps to the next routine starting at Line 1500.

This routine displaces these coordinates so they take into account the angle of view you selected, and then draws in the line using these displaced coordinates. This is repeated 20 times, so your original line is drawn in 20 different positions round a circle. The routine then RETURNs to Line 1000 to do the same for the next of your lines. By taking the lines one at a time the picture is built up in stages and

If you look closely at the program you'll see that the procedure for drawing the first of your lines is slightly different from that for the others. This is because the displaced coordinates it works out are always the *ends* of the lines, the start coordinates being the ends of the previous lines. However, with the first

you'll see this when you RUN the program.

line the start coordinates also have to be worked out.

Lines 1560 and 1565 check to see if it is the first line. The Acorn program works slightly differently, but on all the others B=1 means the first line, and if BF=1 as well it means the first line was a blank move. With a blank move all that happens is the coordinates are worked out and then stored in the array A(). These coordinates will then form the start of the next set of lines. If the first move wasn't blank it means it started from the centre, so 'spokes' are drawn out from the centre to the end coordinates of the lines. The Acorn assumes your first move was blank and works

So, for each line of your drawing, a whole ring of lines are drawn and their ends are linked by a circle, giving the effect of three dimensions. The coordinates of each end point are stored in the array A() so the computer knows the starting points for the next set of lines.

### ROTATE

When the drawing is complete the program waits. Unless you have a Commodore, pressing a key will then call the paged graphics routine that makes the drawing spin. Several pictures are drawn one after the other and saved in memory. The number of pictures A, is controlled by the loop in Lines 610 to 690 on the Spectrum, Line 120 on the Acorn and Line 220 on the Dragon and Tandy. The variable A also determines the amount each picture is shifted by altering the angle in Line 1510. The pictures are then displayed one after the other to give the effect of animation.

# MODELLING REALITY

Choosing the winning combination in a chance event is like picking numbers at random—a prime task for your micro, given a little statistical know-how

Engineers of all descriptions build models—structures in miniature—to test their designs. By doing so, they are simulating a real system. The article on pages 1158 to 1162 shows how your micro can do something similar—go through the motions of an event and give results that resemble those of an actual occurrence. Now you can find out how to combine the principles of statistics and modelling to solve problems realistically in games and real-life situations.

### TYPES OF MODEL

Technically, a model is a representation of a real system, constructed for its simplicity and usefulness as an aid to making decisions. There are three categories of models—iconic, analogue and symbolic—not all of which are practicable for simulations by home computer enthusiasts.

Iconic models have no moving parts—road maps and toy aeroplanes come into this category. In preparation for building a bridge across an estuary, for example, civil engineers might build a model of the bridge and area surrounding the estuary to study the effects of tide, flooding and wind on the structure. Although computers are employed to monitor these factors and analyse the results, the fact that you have to collect data from an actual trial means that there is no need for a simulation.

Analogue models represent one quantity by another. For example, Professor Phillips, a British economist, arranged a number of cold-water tanks at different levels and used the flow of liquid between the tanks to represent the flow of cash in the UK economy. The same sort of thing can be done electronically, by representing different quantities by different voltages—but analogue computers, rather than the digital system used in home computers, are generally employed for this work. It is the third category—the symbolic or abstract model—that is of particular interest to anyone wishing to carry out simulations on a home computer.

### REAL-LIFE UNCERTAINTIES

In the symbolic type of model, it is a mathematical formula that is used to repre-



sent the real system. For instance, if you wished to study the distance (S) travelled by a car at constant speed (V) for a Time (T), then a suitable model would be  $S = V^*T$ . This type of equation is called deterministic, because it gives no measure of uncertainty. It describes precisely the motion of the car for any set of values you specify. There are, however, many events that cannot be specified without a degree of uncertainty. An example of these is in the program on pages 694 to 700, which simulates the tossing of a coin. Models that describe imprecise events are called stochastic. Usually, these are the types of event for which simulations are required—particularly in games.

Some variables can take only discrete values, such as 0, 1, 2, 3, ... The number of goals in a football match, or the number of male children in a family, are in this category.

When simulating random variables of this type, it is important to be able to recognize that many seemingly different processes do, in fact, have the same underlying structure.

As an example, consider the coin tossing simulation mentioned earlier. This program could easily be modified to represent the random casts of dice or the number of goals scored in a penalty shoot-out. In all these circumstances, there are a number of independently repeated trials, the results of which can occur with definite probabilities. For example, a trial may consist of tossing a coin four times. The result of each trial can be four heads, three heads and a tail, two heads and two tails, three tails and a head or a complete set of four tails. And there is a definite probability attached to each of these outcomes. Structures of this type, named Bernoulli Processes, generate discrete random

MODELLING THE PROBABILITY OF CHANCE BEHAVIOUR

■ TYPES OF RANDOM VARIABLES

SIMULATING RESULTS
UNIFORM DISTRIBUTION

EXPONENTIAL DISTRIBUTION

NORMAL DISTRIBUTION

COMPARING SIMULATED EVENTS



variables that are unsuitable for, say, the number of accidents occurring in a Grand Prix, the total number of telephone calls arriving in a half-hour period, or the number of lightning flashes recorded during an electric storm. In these instances, the events occur haphazardly during a period of time, of their own accord, and not as a result of repeated trials. Such structures are called Poisson Processes. Enter the first program, which lets you sample from any Poisson distribution you choose:



10 BORDER Ø:PAPER Ø:INK 7:CLS

20 POKE 23658,0

4Ø PRINT AT 1,6;INVERSE 1;"□ POISSON SIMULATION□":PRINT:PRINT

5Ø INPUT "WHAT IS YOUR MEAN VALUE "";a

7Ø INPUT "SAMPLE SIZE ";n 80 FOR i=1 TO n 90 LET c = 0: LET t = 1100 LET s = EXP (-a)110 LET  $t = t^*(RND^*1)$ 120 IF t < = s THEN PRINT;"  $\square \square \square \square \square$ □";c,:GOTO 150 130 LET c = c + 1140 GOTO 110 150 NEXT i 16Ø INPUT "□ ANOTHER SAMPLE (Y/N)?";q\$ 170 IF g\$ = "y" THEN GOTO 10 18Ø STOP C C 40 PRINT "□ > ■ POISSON SIMULATION : " 5Ø PRINT" ■ WHAT IS YOUR MEAN VALUE":INPUT A 7Ø INPUT "■SAMPLE SIZE":N 80 FOR I = 1 TO N 90 C = 0:T = 1100 S = EXP(-A)110 T =  $T^*RND(1)$ 120 IF T < = S THEN PRINT C,:GOTO 150 130 C = C + 1140 GOTO 110 150 NEXT I:PRINT 16Ø PRINT"ANOTHER SAMPLE (Y/N)?" 170 GETG\$:IF G\$ = "Y" THEN RUN 18Ø IF G\$ < > "N" THEN 17Ø 190 PRINT"

4Ø MODE1:PRINTTAB(12,3)"POISSON SIMULATION""

50 INPUT"WHAT IS YOUR MEAN VALUE",A
70 INPUT"AND YOUR SAMPLE SIZE",N

80 FOR I = 1 TO N

90 C = 0:T = 1

100 S = EXP(-A)

110 T =  $T^*RND(1)$ 

120 IF T < = S THEN PRINT C;: GOTO 150

130 C = C + 1

14Ø GOTO 11Ø

**150 NEXT** 

160 INPUT", ANOTHER SAMPLE (Y/N)", G\$

170 IF G\$ = "Y" THEN 40

18Ø END

## 30 CLS

4Ø PRINT@7, "poisson simulation": PRINT:

50 INPUT"WHAT IS YOUR MEAN VALUE □":A

**60 PRINT** 

7Ø INPUT"SAMPLE SIZE□";N

80 FOR I = 1 TO N

90 C = 0:T = 1

100 S = EXP(-A)

 $110 T = T^*RND(0)$ 

120 IF T < = S THEN PRINTLEFT\$(STR\$(C)

130 C = C + 1

14Ø GOTO11Ø

15Ø NEXT I

16Ø PRINT:INPUT"ANOTHER SAMPLE

(Y/N) □";G\$

170 IF G\$ = "Y" THEN 30

180 END

When you RUN the program, you are prompted to enter a mean value (the mathematical average) and the size of your sample (Lines  $5\emptyset$  and  $7\emptyset$ ). The main part of the program (Lines  $8\emptyset$  to  $15\emptyset$ ) uses an equation to generate the Poisson variables. The variable S is set (Line  $1\emptyset\emptyset$ ) to the value of e (a mathematical constant) raised to the power A (the mean value you entered). Line  $11\emptyset$  sets a random number between  $\emptyset$  and the value of T, and scales it according to the value of T. Line  $12\emptyset$  then compares S and T to decide whether a variable (C) is to be printed.

Suppose, for example, you are designing a space game in which a battle cruiser has to pass through a meteorite storm. If the mean number of 'hits' in any one-minute period is two, and five separate one-minute simulations are required, the computer might print out 2, 3, 2, 1, 0 for 'hit' statistics. Each item in the list will not differ much from 2 (the mean), and there are five items—the sample size.

Could this same technique be used to simulate, say, the final scores in a football match? Clearly, you are dealing with a discrete variable, because the number of goals scored can take only whole-number values  $\emptyset$ , 1, 2, 3, and so on. Also, you are concerned with events that occur of their own accord

over time-and not as a result of repeated trials. So this is indeed a case for which a Poisson Process is suitable. Now, besides the number of matches played, the only other piece of information you need is what value is to be used as mean goals scored. Here, it becomes necessary to go out into the real world and collect some data. The table below gives mean scores for home and away teams in the English First Division soccer league, between 1977 and 1983.

Firs	t Division G	oals
Season	Home goals per match	Away goals per match
77-78	1.6039	1.0606
78-79	1.5498	1.0844
79-80	1.6925	0.9481
80-81	1.6364	1.0216
81-82	1.4545	1.0844
82-83	1.7532	Ø.9822

On the basis of these figures, an inspired guess of 1.7 for mean home scores and 1.0 for mean away scores is reasonable. Dividing each value by two leads to mean half-time scores of 0.85 and 0.5. Construction of the program is now straightforward:

20 DIM a\$(25,10):DIM h\$(25,10):DIM h(50):DIM a(50):DIM f(50):DIM g(50)

30 BORDER Ø:PAPER Ø:INK 7:CLS

50 PRINT AT 0,8: INVERSE 1:

"□□FINAL SCORE□□"

70 INPUT "□ HOW MANY MATCHES (1-25)

75 IF n < 1 OR n > 25 THEN GOTO 70

80 FOR i=1 TO n

90 PRINT "MATCH",i

100 INPUT "HOME TEAM"; h\$(i)

110 INPUT "AWAY TEAM";a\$(i)

120 NEXT i

130 PAUSE 400

140 PRINT

150 FOR i=1 TO 2\*n

160 LET c = 0: LET t = 1

170 LET s = EXP(-.85)

180 LET t=t\*(RND\*1)

190 IF t < = s THEN LET h(i) = c: GOTO 220

200 LET c = c + 1

210 GOTO 180

220 NEXT i

230 FOR i=1 TO 2\*n

240 LET c = 0: LET t = 1

250 LET s = EXP(-.5)

260 LET  $t = t^*(RND^*1)$ 

270 IF t < = s THEN LET a(i) = c: GOTO 300

280 LET c = c + 1

29Ø GOTO 26Ø

300 NEXT i

310 CLS

320 PRINT TAB (7); "HALF-TIME SCORES";"

330 FOR i = 1 TO n

34Ø PRINT h\$(i);h(i);TAB 20;

a\$(i);a(i):PRINT

350 NEXT i

36Ø PRINT "PRESS ANY KEY TO CONTINUE"

370 IF INKEY\$ = "" THEN GOTO 370

375 CLS

380 PRINT TAB 12; "FINAL SCORE""

390 FOR i = 1 TO n

400 LET f(i) = h(i) + h(n+i)

410 LET g(i) = a(i) + a(i + n)

420 PRINT h\$(i);f(i);TAB 20;

a\$(i);g(i):PRINT43Ø NEXT i 440 INPUT " ANOYHER GO (y/n) ?□";g\$

450 IF g\$ = "n" THEN GOTO 490

460 INPUT "□ SAME TEAMS (y/n)";p\$

470 IF p\$ = "n" THEN GOTO 70

480 GOTO 150

490 STOP



20 DIM A\$(25),H\$(25),H(50),A(50),FA(25),

50 PRINT " > ■ > FINAL SCORE :"

70 PRINT "HOW MANY MATCHES(1-25)": INPUT N

75 IF N < 1 OR N > 25 THEN GOTO 70

80 FOR I = 1 TO N

90 PRINT "■ MATCH",I

100 INPUT "HOME TEAM"; H\$(I)

110 INPUT "AWAY TEAM"; A\$(I):

PRINT

120 NEXT I

130 FOR V = 1 TO 1000:NEXT V

150 FOR I = 1 TO 2\*N

160 C = 0:T = 1

170 S = EXP(-.85)

180 T =  $T^*RND(1)$ 

190 IF T < = S THEN H(I) = C:

**GOTO 220** 

200 C = C + 1

210 GOTO 180

220 NEXT I

230 FOR I=1 TO 2\*N

240 C = 0:T = 1

250 S = EXP(-.5)

260 T = T\*RND(1)

270 IF T < = S THEN A(I) = C:

**GOTO 300** 

280 C = C + 1

29Ø GOTO 26Ø 300 NEXT I

32Ø PRINT "□ 🔳 > 🔲 🖪 HALF-TIME

SCORES 3 3

330 FOR I = 1 TO N

34Ø PRINT H\$(I);H(I):PRINT" ■ ";

A\$(I);A(I):PRINT

350 FOR D = 1 TO 200:NEXT'D.I

360 PRINT "PRESS ANY KEY TO CONTINUE"

370 GET X\$:iF X\$ = "" THEN 370

380 PRINT "💟 🔟 > 💵 🖼 FINAL

SCORE I

390 FOR I = 1 TO N

400 FH(I) = H(I) + H(N+1)

410 FA(I) = A(I) + A(I + N)

42Ø PRINT H\$(I);FH(I):PRINT" ■";A\$(I); FA(I):PRINT

430 FORD = 1TO200:NEXT D,I

44Ø PRINT "MANOTHER GO (Y/N)?"

45Ø GETG\$:IF G\$ = "N" THEN

PRINT"□":END 455 IF G\$<>"Y" THEN 450

46Ø INPUT "☐SAME TEAMS (Y/N)";P\$

470 IF P\$ = "N" THEN RUN

48Ø GOTO 15Ø



20 DIM A\$(25),H\$(25),H(50),A(50),FA(25),

50 MODE1:PRINTTAB(16,3)"FINAL SCORE"

**60 PRINT: PRINT** 

70 INPUT"HOW MANY MATCHES (1-25)",N

75 IF N < 1 OR N > 25 THEN 70

80 FOR I=1 TO N

90 PRINT"MATCH", I

100 INPUT"HOME TEAM", H\$(I)

110 INPUT"AWAY TEAM", A\$(I): PRINT



**120 NEXT** 130 D = INKEY(100)140 PRINT 150 FOR I = 1 TO 2\*N 160 C = 0:T = 1170 S = EXP(-.85)180  $T = T^*RND(1)$ 190 IF T < = S THEN H(I) = C: **GOTO 220** 200 C = C + 1210 GOTO 180 **220 NEXT** 230 FOR I = 1 TO 2\*N 240 C = 0:T = 1250 S = EXP(-.5)260 T =  $T^*RND(1)$ 270 IF T < = S THEN A(I) = C: **GOTO 300** 280 C = C + 1290 GOTO 260 **300 NEXT** 320 CLS:PRINTTAB(12,3)"HALF-TIME SCORES": PRINT: PRINT 330 FOR I = 1 TO N 34Ø PRINTH\$(I)H(I)TAB(27)A\$(I)A(I) 36Ø PRINT"PRESS ANY KEY TO CONTINUE" 370 X\$ = GET\$

38Ø PRINTTAB(16,3)"FINAL SCORE":

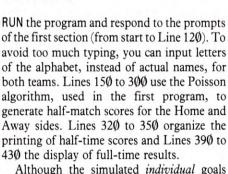
375 CLS

PRINT: PRINT 390 FOR I = 1 TO N 400 FH(I) = H(I) + H(N+1)410 FA(1) = A(1) + A(1 + N)42Ø PRINTH\$(I)FH(I)TAB(27) A\$(I)FA(I):PRINT 430 NEXT 440 INPUT"ANOTHER GO (Y/N)",G\$ 450 IF G\$ = "N" THEN END 460 INPUT"SAME TEAMS (Y/N)",P\$ 470 IF P\$ = "N" THEN 70 480 GOTO 150 **74** 11 20 DIM A\$(25),H\$(25),H(50),A(50),FA(25), 30 CLS 50 PRINT@11,"final score" 60 PRINT: PRINT 7Ø INPUT"HOW MANY MATCHES(1-25) □"; 75 IF N < 1 OR N > 25 THEN 70 80 FOR I = 1 TO N 9Ø PRINT"MATCH□": 100 INPUT"HOME TEAM □";H\$(I) 11Ø INPUT"AWAY TEAM □";A\$(I): PRINT 120 NEXT I

130 FOR V = 1 TO 2000: NEXT V

140 PRINT

150 FOR I=1 TO 2\*N 160 C = 0 T = 1170 S = EXP(-.85) $180 T = T^*RND(0)$ 190 IF T < = S THEN H(I) = C: **GOTO 220** 200 C = C + 1210 GOTO 180 220 NEXT I 230 FOR I=1 TO 2\*N 240 C = 0:T = 1250 S = EXP(-.5)260 T = T\*RND(0)270 IF T < = S THEN A(I) = C: GOTO 300 280 C = C + 1290 GOTO 260 300 NEXT I 310 CLS 320 PRINT@7, "half-time scores": PRINT: PRINT 330 FOR I = 1 TO N 340 PRINTH\$(I);H(I),A\$(I);A(I) 36Ø PRINT"PRESS ANY KEY TO CONTINUE" 370 IF INKEY\$ = "" THEN 370 375 CLS 380 PRINT@11,"final score": PRINT: PRINT 390 FOR I = 1 TO N 400 FH(I) = H(I) + H(N+I)410 FA(I) = A(I) + A(N+I)420 PRINTH\$(I);FH(I),A\$(I); FA(I) **430 NEXT** 440 PRINT:INPUT"ANOTHER GO (Y/N) □ ";G\$ 450 IF G\$ = "N" THEN END 46Ø INPUT"SAME TEAMS (Y/N) □";P\$ 470 IF P\$ = "N" THEN 70

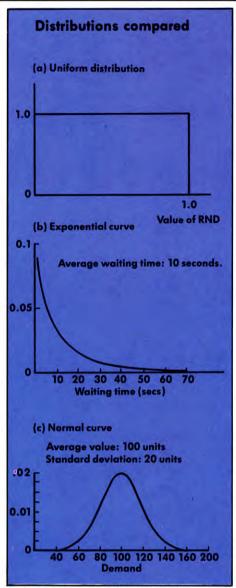


480 GOTO 150

Although the simulated individual goals per match won't tally well with the actual results, the simulated aggregate performance should resemble the actual results closely.

The Poisson distribution works well for whole-number variables, but some variables are fractional-they are continuously random. In a computer simulation of the Olympic long jump, for example, a competitor might record any distance between seven





and nine metres—the length of the jump is an example of a continuous random variable.

Although the computer's RND function is suitable for simulating Poisson-type wholenumber variables, you need a modified RND function to model with continuous variables. Figure 1 compares the type of distribution given by both types of variables. Wholenumber variables give a uniform distribution, but continuous variables can give either an exponential or a normal distribution. Enter the next program to transform the flat or uniformly distributed random variables supplied by the computer's RND function into exponentially distributed random variables:

10 BORDER Ø:INK 7PAPER Ø:CLS 20 POKE 23658,0 40 PRINT AT Ø,4; INVERSE 1; "☐ EXPONENTIAL SIMULATION ☐ ""

50 INPUT "WHAT IS YOUR MEAN VALUE ?□));a 7Ø INPUT "□ SAMPLE SIZE ?□":n 80 FOR i = 1 TO n 90 LET  $x = (-a)^*LN (RND^*1):LET y = INT$ (x\*10):PRINT " \( \bar{\text{\ti}\text{\texitile}\tint{\texi\tinit}\\tint{\text{\text{\text{\text{\text{\text{\text{\text{\tinit}\xi}\\tint{\text{\text{\text{\text{\text{\tinit}\xi}\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\texi}\tint{\text{\text{\text{\texitile}\tint{\text{\texitile}\tint{\text{\text{\text{\text{\texi{\text{\tin}\tint{\tiitile}\tint{\tilitet{\texit{\texi{\texi{\texi{\texicl{\ti}\tint{\tii}\tiint{\ti 100 NEXT i 11Ø INPUT "□ ANOTHER SIMULATION (y/n) □ ";g\$ 120 IF g\$ = "y" THEN GOTO 30 **130 STOP** Ck Ck 40 PRINT "□ ■ > ■ EXPONENTIAL": PRINT" ■ SIMULATION □ 🗐 🗐 " 50 PRINT "WHAT IS YOUR MEAN": INPUT "VALUE";A 70 INPUT " SAMPLE SIZE"; N 80 FOR I=1 TO N 90  $X = (-A)^*LOG(RND(1)):Y = INT(X^*10):$ PRINT .1\*Y, 100 NEXT I 11Ø PRINT: PRINT "ANOTHER SAMPLE (Y/N)?" 120 GETG\$:IF G\$ = "Y" THEN RUN 130 IF G\$ < > "N" THEN 120 140 PRINT" 40 MODE1:PRINTTAB(11,3)"EXPONENTIAL SIMULATION" 50 INPUT""WHAT IS MEAN VALUE", A 70 INPUT""SAMPLE SIZE",N 80 FOR I = 1 TO N 90 X = -A\*LOG(RND(1)):Y = INT(X\*10):PRINT.1\*Y; **100 NEXT** 110 INPUT""ANOTHER SIMULATION", G\$ 120 IF G\$ = "Y" THEN 40 30 CLS 40 PRINT@5,"exponential simulation":PRINT: 5Ø INPUT"WHAT IS YOUR MEAN VALUE ":: **60 PRINT** 7Ø INPUT"SAMPLE SIZE □";N 80 FOR I = 1 TO N  $90 X = (-A)^*LOG(RND(0)):Y = INT(X^*10):$ PRINTLEFT\$(STR\$( $Y/1\emptyset$ ) + "  $\square$   $\square$   $\square$   $\square$ □ □",8); 100 NEXT I 110 PRINT: INPUT" ANOTHER SIMULATION (Y/N) □ ";G\$ 120 IF G\$ = "Y" THEN 30 13Ø END

When you RUN the program, specify a mean value and the number of samples required, then the variables will be printed on

the screen. Line 90 does all of the work. It uses a mathematical technique, called the inverse transform method, to translate 'flat' variables into exponential variables. This program could be used equally well to simulate, say, the waiting time for driers in a launderette, or the lifetimes of energy packs in a space adventure game. Time elapsed is the important concept in both cases.

### NORMAL DISTRIBUTION

The normal or bell-shaped curve represents the most famous statistical distribution of all. It has been found useful in describing all sorts of natural phenomena, including the heights and weights of adults. In addition, it is widely accepted as the most appropriate means of describing error distributions (see page 697).

As an illustration of how the normal distribution might be incorporated into a model, consider the following example to design a business game. Suppose company sales (S) depend on some base level (So) and the amount spent on advertising (A). The relationship could be summarized by the expression  $S = S_0 + (B^*A)$  where B is some known constant.

Now in real life, such precise relationships rarely hold. Unforseen events or circumstances distort the facts or introduce 'noise' into the system. This system can be adequately modelled by introducing a normally distributed disturbance equation for sales. The complete equation for sales would then be  $S = S_0 + (B^*A) + Normal$  Disturbance.

Enter the next program to see this work:

10 BORDER 0:PAPER 0:INK 7:CLS 40 DIM u(50):DIM y(50):DIM z(50) 5Ø PRINT AT Ø,7;INVERSE 1;"□NORMAL SIMULATION :"" 6Ø INPUT "□WHAT IS YOUR MEAN VALUE ?□";a 7Ø INPUT "□WHAT IS YOUR MINIMUM VALUE ?□";m 8Ø INPUT "□SAMPLE SIZE ?□";n 90 LET b = (a - m)/2.5100 FOR i=1 TO n 110 LET t = 0 120 FOR i = 1 TO 15 130 LET  $y(j) = RND^*1$ 140 LET t = t + y(j): NEXT j 150 LET u(i) = ((t/15) - .5)/SQR (1/(12\*15))160 LET  $z(i) = a + (b^*u(i))$ 170 LET p = INT  $(10^*z(i))$ : PRINT "\\_ \\_ \\_ \";.1\*p, 18Ø NEXT i 19Ø INPUT "□ ANOTHER SAMPLE ?□";g\$ 200 IF g\$ = "y" THEN GOTO 50 210 STOP





Cx Cx

40 DIM U(50),Y(50),Z(50)

50 PRINT "□ 🔳 > 💵 🖪 NORMAL SIMULATION I II"

60 PRINT"WHAT IS YOUR MEAN":INPUT "VALUE";A

7Ø PRINT" ■ WHAT IS YOUR MINIMUM": INPUT"VALUE";M

8Ø INPUT "■SAMPLE SIZE";N

90 B = (A - M)/2.5

100 FOR I = 1 TO N

110 T = 0

120 FOR J=1 TO 15

130 Y(J) = RND(1)140 T = T + Y(J):NEXT J

150 U(I) = ((T/15) - .5)/SQR(1/(12\*15))

160 Z(I) = A + (B\*U(I))

170 P = INT(10\*Z(I)):PRINT .1\*P,

18Ø NEXT I

19Ø PRINT:PRINT "ANOTHER SAMPLE (Y/N)?"

200 GETG\$:IF G\$ = "Y" THEN RUN 210 IF G\$ < > "N" THEN 200

220 PRINT"

•

40 DIM U(150),Y(150),Z(150)

50 MODE1:PRINTTAB(12,3)"NORMAL SIMULATION""

60 INPUT"WHAT IS YOUR MEAN VALUE", A

70 INPUT"WHAT IS YOUR MINIMUM VALUE", M

80 INPUT"SAMPLE SIZE",N

90 B = (A - M)/2.5

100 FOR I=1 TO N

110 T = 0

120 FOR J = 1 TO 15

130 Y(J) = RND(1)

140 T = T + Y(J):NEXT

150 U(I) = ((T/15) - .5)/SQR(1/(12\*15))

 $160 Z(I) = A + (B^*U(I))$ 

170 P = INT(10\*Z(1)):PRINT

.1\*P; **180 NEXT** 

19Ø INPUT" ANOTHER

SAMPLE",G\$

200 IF G\$ = "Y" THEN 50

ZII

30 CLS

40 DIM U(50),Y(50),Z(50)

50 PRINT@7,"normal simulation": PRINT: PRINT

60 INPUT"WHAT IS YOUR MEAN VALUE □ ";A

70 INPUT"WHAT IS YOUR MINIMUM VALUE □ ";M

8Ø INPUT"SAMPLE SIZE □";N

90 B = (A - M)/2.5

100 FOR I = 1 TO N

110 T = 0

120 FOR J=1 TO 15

130 Y(J) = RND(0)

140 T = T + Y(J): NEXT J

150 U(I) = ((T/15) - .5)/SQR(1/(12\*15))

 $160 Z(I) = A + (B^*U(I))$ 

170 P = INT(10\*Z(I)):PRINTLEFT\$(STR\$) $(P/10) + "\Box \Box \Box \Box \Box \Box \Box ",8);$ 

18Ø NEXT I

19Ø PRINT:INPUT"ANOTHER SAMPLE ";G\$

200 IF G\$ = "Y" THEN 50

210 END

RUN the simulation, then specify the mean and minimum values of your variable. Technically, the range of the normal curve is unbounded, so there is a small chance that a simulated value will be less than the minimum you have specified. This won't happen very often.

Lines 120 to 150 use the RND function to generate 15 random numbers between Ø and 1, and then add the numbers together. Line 160 calculates the mean and adds a scaling factor. After further scaling (Line 160), the result can be printed.

It may help you to get a better 'feel' for what's going on if numbers are generated from two distributions with the same mean and roughly the same range, but with different shapes. Run this program and enter values of 100 for mean, 50 for minimum and 40 for sample size. The values you get could be plotted to give a graph that looks like figure iC.

Now delete Line 90 and Lines 120 to 160, and overwrite the following line (change RND(1) to RND(0) on the Dragon and Tandy):

110  $Z(I) = M + RND(1)^{*}2^{*}(A - M)$ 

These changes convert the program into one capable of printing out uniform random values. Run the program again, entering the same values as before, and compare the results. This time, the values could be plotted to give a graph that looks like figure 1A. You should notice that the normal readings (in the first test) are much more closely clustered about the mean value of.

# CLIFFHANGER: ADDING SEAGULLS

While Willie struggles manfully with his dangerous task, gulls crane and wheel in the sky above adding a touch that can turn an imaginative idea into a viable product

No seaside scene would be complete without the plaintive gulls. But the game's own sound effects-coming in later parts-precluded this. So instead the seagulls are just going to flap around in the sky over the slope as part of the background scenery.

You might think that this is an unnecessary frill as it plays no real part in the game. But it is touches like this one that make all the difference if you are writing a commercial game. The days of two cursors and a blip tennis games are over.

Unfortunately, there are no flapping seagulls in the Dragon version of Cliffhanger. It would have burdened the game with even more DATA. Dragon owners have probably had all the DATA they can take.

Besides, in the Dragon version, it is a very hot day, much too hot for sensible seagulls to be flapping about. They are all resting in the shade!

The following program not only prints the gull up on the screen, it makes the gull flap its wings up and down by using simply twoframe animation.

gul	org 58751 ld a,(57349)		call print
•	inc a		call print
	res 3,a		pop bc
	ld (57349),a		ld hl,68
	ld bc,57192		call print
	cp 4		inc hl
	jr c,gpt		call print
	ld bc,572Ø8		ret
gpt	ld a,46		org 58217
	ld hl,42	print	
	push bc		

### WINGING IT

Memory location 57,349 contains the socalled gull delay variable. This stops the wings flapping up and down too fast. The full delay is loaded into A and incremented.

To get the wings to flap up and down, the value of gull delay needs to fluctuate in a restricted range. Here the instruction res 3,a resets bit 3 of the accumulator. So when the gull variable is incremented beyond 7 it is set back to zero again.

The result of the increment and reset is stored back in 57,349.

To make the gull appear to be flapping its

wings, there is data for two gulls-one with its wings up and one with its wings down. The two sets of data for these two gulls start at 57,192 and 57,208. Each comprises 16 bytes of data.

BC is loaded with the address of the first of these two blocks of data. Then the contents of the accumulator-which are still the gull delay-are compared with 4.

A cp is an unstored subtraction. The number 4 is taken away from the contents of the accumulator, but the result is not stored in the accumulator-or anywhere else for that matter. The only result of the operation is to set the flags.

So if the gull delay in the accumulator is less than 4—that is, three or below—the carry flag is set. And if the gull delay is 4 or over, the carry flag is not set.

The jr c instruction makes the processor jump if the carry flag is set. So if the gull delay is less than four, the processor skips the next instruction and 57,192 remains in the BC register. But if the gull delay is 4 or more, the carry flag is not set, the jump is not made and BC is loaded with 57,208, the beginning of the data for the second gull in the data table.



DIRECTION CHECKING
IDENTIFYING THE END
OF THE FLIGHT PATH
CHANGING DIRECTION
FLIPPING IN THE FLAG

The 'CLIFFHANGER' listings published in this magazine and subsequent parts bear absolutely no resemblance to, and are in no way associated with, the computer game called 'CLIFF HANGER' released for the Commodore 64 and published by New Generation Software Limited.

A is loaded with 46, to set the gull colour, and HL is loaded with the position of the first gull on the screen, 42.

The contents of the BC register is then pushed onto the stack to preserve it. To add to the confusion, there are two gulls on the screen as well as in the data table. But the two gulls on the screen are the same gull in the data table. The same image is printed on the screen twice, in two different places. As the same image is used, the gulls flap in concert. So the data pointer has to be preserved while the first gull is being printed on the screen, as the print routine automatically updates the pointer while it prints out the sixteen bytes of data needed to make up a complete gull.

The print routine is then called. This prints out the eight bytes of data following the start position given in BC, updating the contents of BC as it goes. HL is then incremented to move it onto the screen position immediately to the right of the part of the gull already printed up. Then the print routine is called again.

When those two characters squares have

Then it is time to print the next one. So the data pointer is pulled off the stack, HL is moved onto the position of the second gull. Then the print routine is called again, HL is incremented and the print routine is called vet again to print up the second half of the second

### Cĸ

This little routine makes the gulls flap their wings:

	ORG 22Ø96	1	LDA #57
	LDX #0		STA (\$FB),Y
	LDY #Ø	XX	LDA (\$FB),Y
LOOP	LDA \$C350,X		CLC
	STA \$FB		ADC #1
	LDA \$C35A,X		STA (\$FB),Y
	STA \$FC		INX
	LDA (\$FB),Y		CPX #2
	CMP #61		BNE LOOP
	BNE XX		RTS

There are two gulls on the screen, and four gulls in memory. The two gulls on the screen are really the same gull printed in different places. And the four gulls in memory are the positions. So when the four gull pictures are printed on the same place on the screen, one after another, you get the impression that the gull is flying.

### GULLING

The X register is used to count the number of gulls on the screen and is initialized to 0. The Y register is used as the offset when indirect addressing is used later in the routine. But the offset is not used at this point and the contents of Y remain Ø throughout.

The low byte of the screen position of the first gull is stored in the variable table in memory location \$C350 and the high byte is in \$C35A. And the low and the high byte of the screen position of the second gull are stored in \$C351 and \$C35B. These screen positions were worked out and stored in these' memory locations by the routine given in part seven of Cliffhanger (pages 1101 to 1105).



So the low byte of the screen position of the first gull is loaded into the accumulator and stored temporarily in the zero page location \$FB where it can be manipulated easily. The high byte is stored at \$FC. These two zeropage memory locations now act as a screenposition pointer.

LDA (\$FB), Y loads the accumulator with the contents of the memory location pointed to by the contents of \$FB and \$FC-in other words, it loads up the contents of that particular position on the screen.

The four gulls are in memory in the form of UDGs. The data for these was entered as data in an earlier part of Cliffhanger. The gulls occupy UDGs 58 to 61 inclusively.

So when the accumulator is loaded with the contents of the screen position of the first gull, it's loaded with a number between 58 and 61—a gull with its wings in some position or other that has already been printed.

The number loaded is compared to 61. If it is not 61, the BNE instruction will skip over the next instructions which load up the accumulator with 57. This is 58 - 1 as the gull UDG to be incremented before it is printed on the screen. So if the gull UDG has already reached its maximum, 61, it is reset to 57 and passed back into the routine via the screen.

The UDG number in the accumulator is now between 57 and 60. The carry flag is cleared and 1 is added to the contents of the accumulator. The UDG bearing the resulting number is stored back on the screen in the same position by the instruction STA (\$FB), Y.

So all this routine does is look at the gull on the screen and move it onto the next frame. And if it has reached the end of the four frames, it starts it off at the beginning again.

The X gull-counter is then incremented and compared to 2. It is less than two, only the first gull has been moved onto the next frame, so the processor loops back and goes through exactly the same process with the second one. And if X has been clocked up to 2, the processor exits the routine.

This program prints and moves two seagulls. In fact, these seagulls are much more ambitious than those on the other machines. As well as flapping their wings, they fly about. Don't forget to set up the computer as normal before you key it in.

70 DATA5,18,3,3,
245,246,4
80 FORA% = &1
CØ1TO&1CØ7:
READ?A%:NEXT
120 FORPASS =
ØTO3STEP3
130 P% = &1C08
140 [OPTPASS
15Ø .Seagull
16Ø JSRLb1
170 LDA&85
18Ø AND # &4Ø

19Ø BNELb6
200 INC&85
210 LDA&85
22Ø AND # &3F
230 CMP # 23
24Ø BNELb7
250 LDA&85
260 ORA # &40
27Ø STA&85
28Ø JMPLb7
29Ø .Lb6
300 DEC&85
310 LDA&85

	320 AND # &3F 330 CMP # 0 340 BNELb7 350 LDA&85 360 AND # &BF 370 STA&85 380 .Lb7 390 LDA&86 400 AND # &40 410 BNELb8 420 INC&86 430 LDA&86 440 AND # &3F 450 CMP # 30 460 BNELb9 470 LDA&86 480 ORA # &40 490 STA&86 500 JMPLb9 510 .Lb8 520 DEC&86 530 LDA&86 540 AND # &3F 550 CMP # 10 560 BNELb9 570 LDA&86 540 AND # &BF 590 STA&86 600 .Lb9 610 LDA&85 620 EOR # &80 630 STA&85 640 JSRLb1 650 RTS
--	---

66Ø .Lb1
67Ø LDA&85
68Ø AND # &8Ø
69Ø BNELb2
700 LDY # 21
71Ø JMPLb3
72Ø .Lb2
73Ø LDY # 23
74Ø .Lb3
75Ø LDX # 245
76Ø TYA
77Ø PHA
78Ø JSR&17D4
79Ø LDX # 246
800 PLA
81Ø TAY
82Ø INY
83Ø JSR&17D4
84Ø LDY # 48
850 LDA&85
86Ø AND # &3F
87Ø TAX
88Ø JSR&1964
890 LDX # 0
900 .Lb4
910 LDA&1C01,X
92Ø JSR&FFEE
93Ø INX
940 CPX # 7
950 BNELb4
960 LDY # 56
97Ø LDA&86
98Ø AND # &3F
990 TAX



To make the gulls fly, you have to set some initialization values by POKEing a couple of the variables on the zero page. You do this by keying in the following instructions:

2885 = 0:286 = 10

Then, when you have the rest of the game in memory, key in:

CALL &1B32:REPEAT CALL &1CØ8:FOR A% = Ø TO 500:NEXT:UNTIL Ø

This should send the feathers flying.

### LOWER THE FLAPS

The DATA in Line 70 define the characters that make up the gulls and their colour. This is READ into a data table at &1C01 to &1C07 where the machine code can find it.

The first thing the assembly language routine does is jump to the subroutine at the label Lb1. This is the routine that does the printing on the screen. Here, it is called to print blank spaces over the old seagulls on the screen so that the new ones can be printed up without leaving bits of the old ones behind. Then the contents of &85 are loaded into the accumulator and ANDed with &40. This looks at bit six. &85 is one of the

zero page locations that controls the gulls. If bit six is set the gull is moving to the left, and if it is not set the gull is moving to the right.

ANDing with &4 $\emptyset$  gives a 1 if bit six is set and a  $\emptyset$  if bit six is not set. Then the BNE instruction in Line 19 $\emptyset$  jumps to the routine which moves the gull to the left starting at Line 29 $\emptyset$  if the result is 1. Or the processor continues with the routine that moves the gull to the right if the result is  $\emptyset$ .

### ALL RIGHT

The routine that moves the gull to the right does that by simply incrementing the gull control variable in &85. This byte is then loaded into the accumulator and ANDed with &3F. This examines bits zero to five, to see whether the gull has reached the end of its path. The ANDing clears bits six and seven, leaving the others unchanged. The result is compared to 23, which marks the extreme right-hand end of the gull's flight.

If the result has not clocked up to 23 yet, the gull has not got to the end of its path and it is not time to change direction. So the BNE instruction branches the processor over the next little routine.

next little routine.

If the result has clocked up to 23, the gull has reached the end of its path, so the processor does not make the branch. So the contents of &85 are loaded into the accumulator, ORed with &40 to set

bit six and the result is stored back

in &85.

Whichever way the gull is going the processor now jumps onto Lb7 in Line  $38\emptyset$ , to skip the routine that sends the gull to the left.

### LEFT OVER

If the branch in Line 190 had decided that the gull was flying to the left it would have sent the processor straight to the instruction in Line 290.

The routine that moves the gull to the left works much like the one that moves it to the right. Only now, the control variable in &85 is decremented instead of being incremented.

Again the result is ANDed with &3F so that bits zero to five can be examined. The left-hand-most end of the gull's path is at  $\emptyset$ . If the gull byte has clocked down that far the direction is reset by ANDing the contents of &85 with &BF, which resets bit six and leaves the rest as they were.

The second gull is handled in exactly the

same way. The instruction from Line 390

to Line 590 are exactly the same as

those in Lines 170 to 370 which

### **GULL TWO**





### **CUMULATIVE INDEX**

An interim index will be published each week. There will be a complete index in the last issue of INPUT.

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- ☐PLUS, for COMMODORE users, more routines for your ASSEMBLER
- Also in this issue, a comprehensive INDEX to parts 27-39 of INPUT

